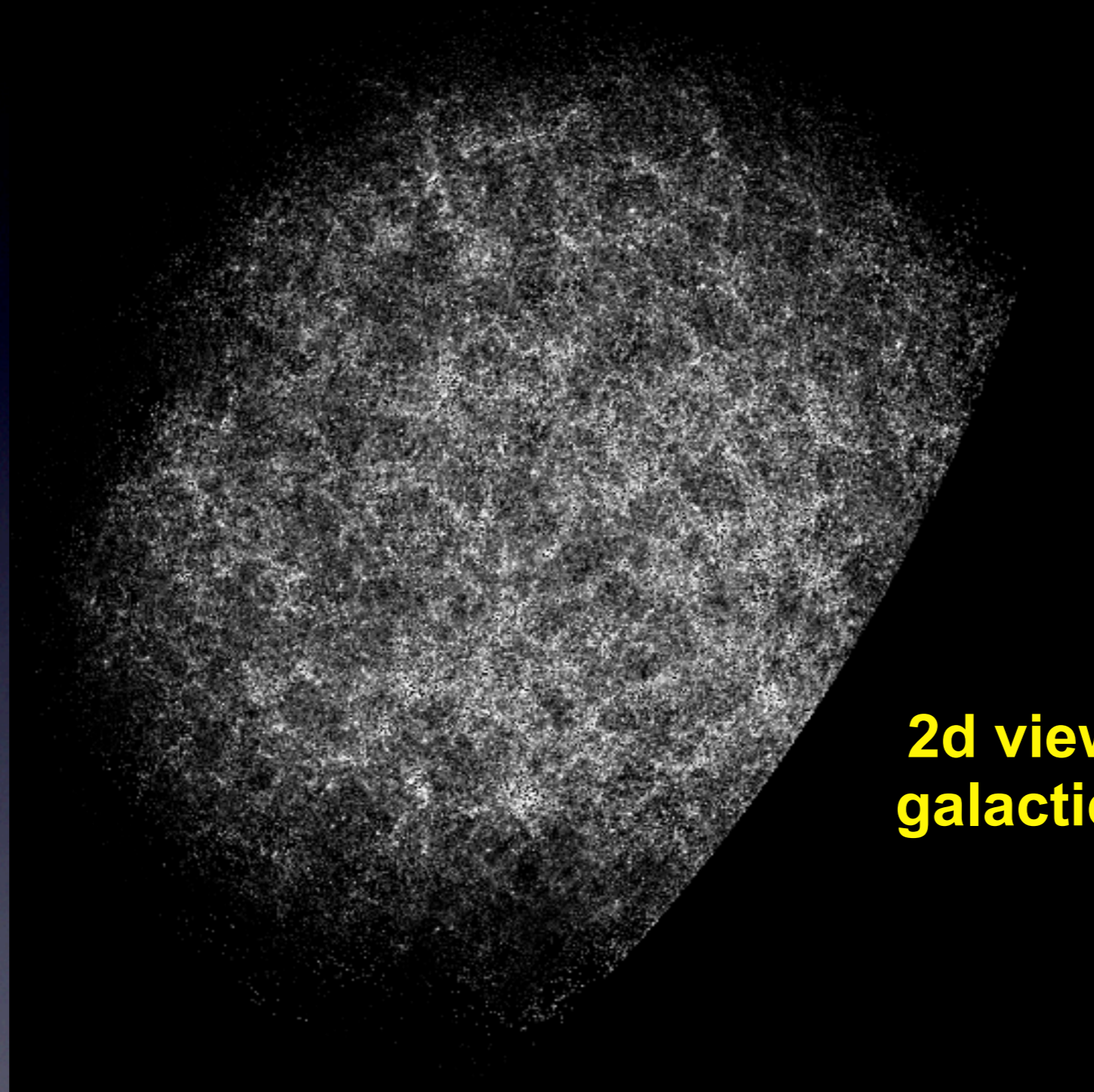


TAUP 2013 summer school

Observational Cosmology:
Large-scale Structure of the Universe

Alison Coil
UCSD

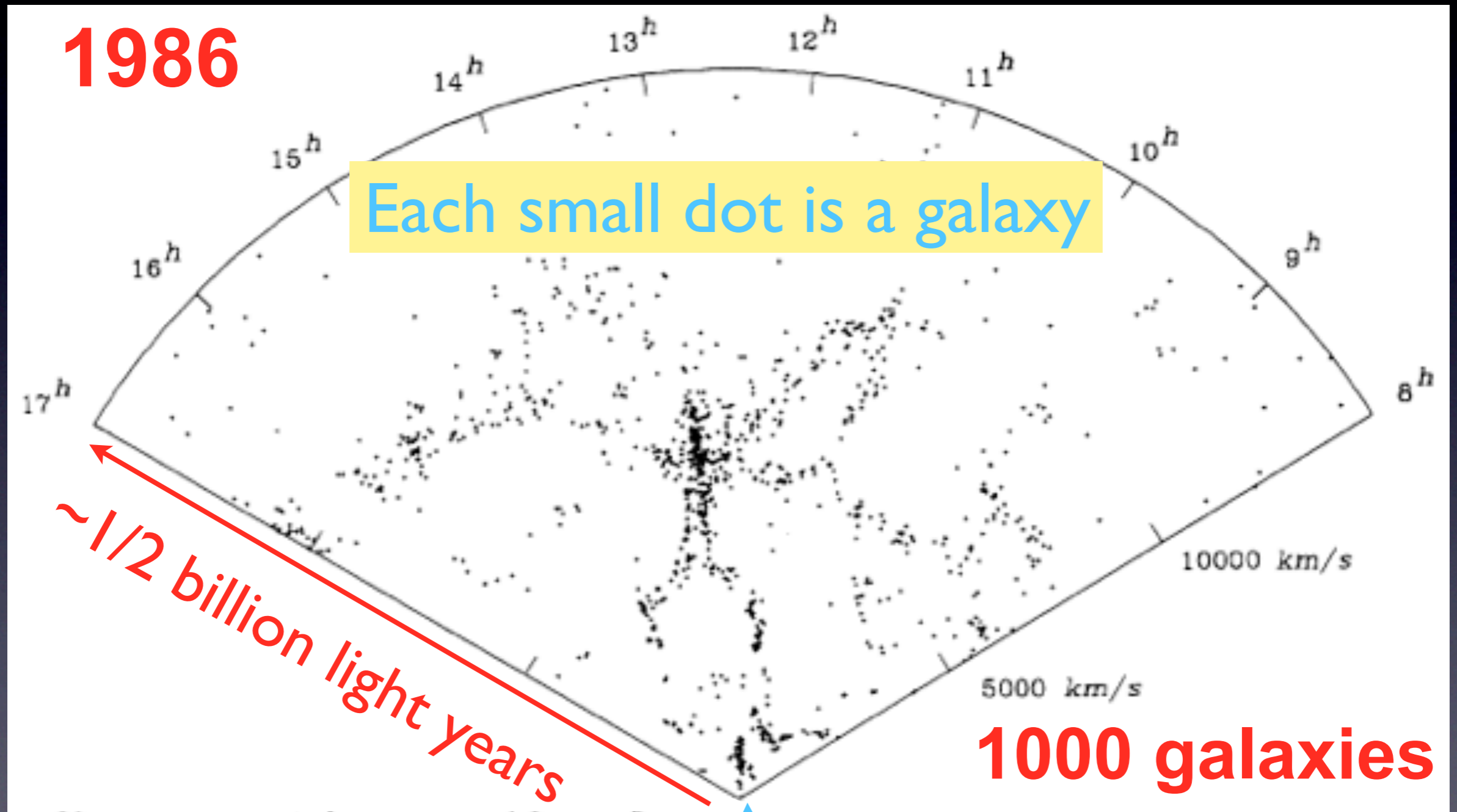
Galaxy Distribution in Sky



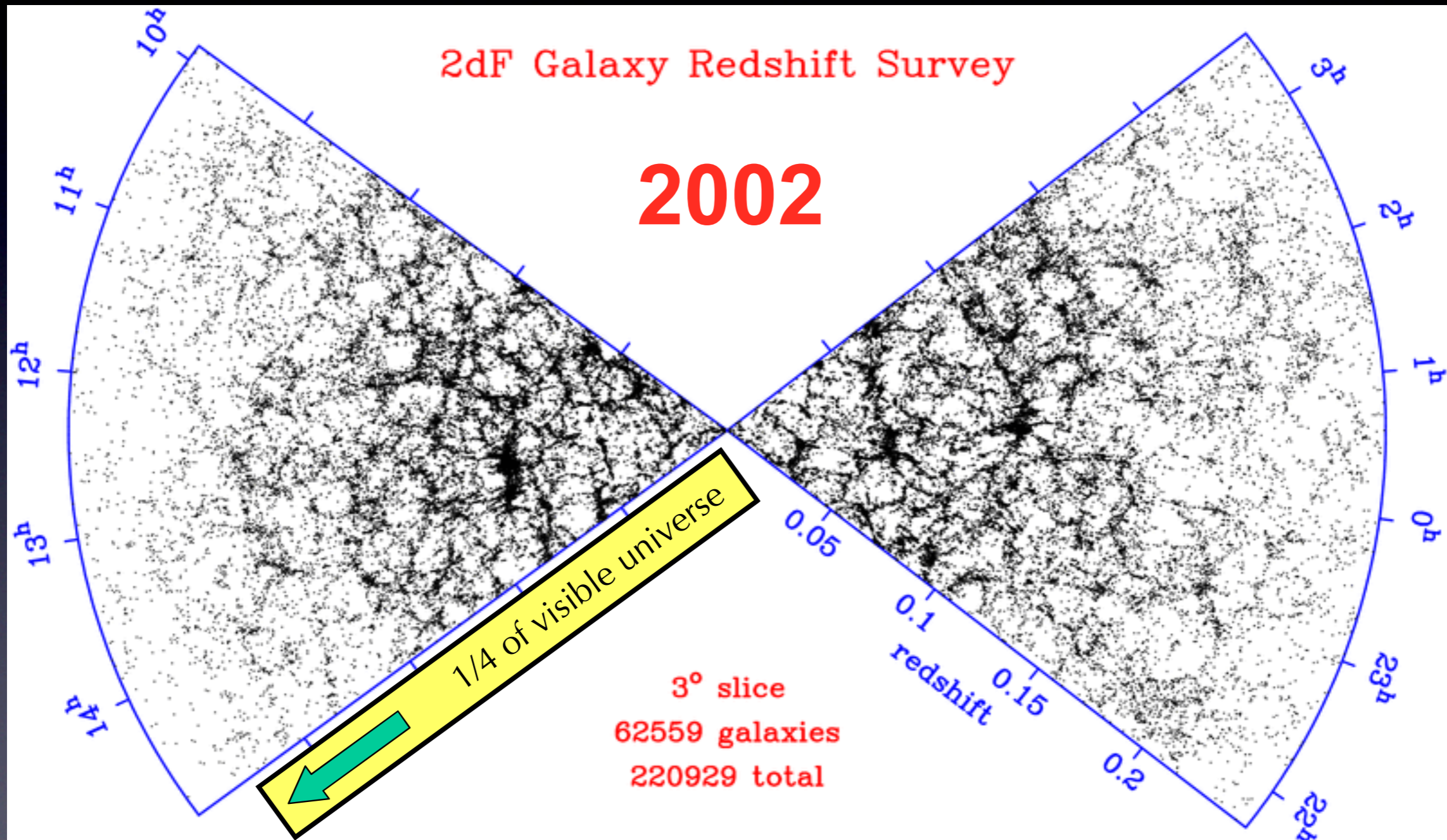
**2d view of northern
galactic hemisphere**

**Angular distribution of optical galaxies ($M < 19$) in the north
galactic pole from Lick survey - late 1970s**

Local Galaxy Distribution

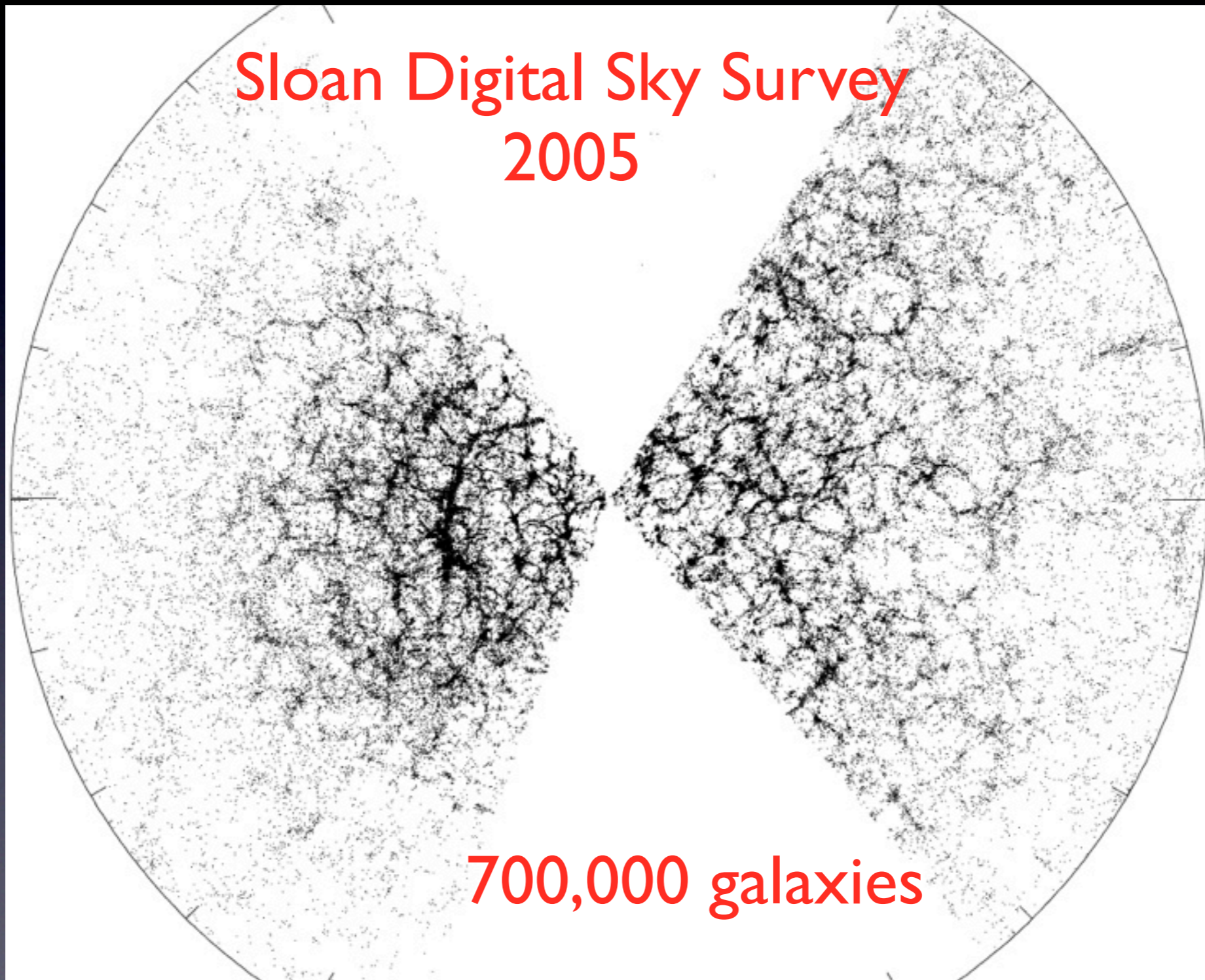


Local Galaxy Distribution



~3 billion light years

Local Galaxy Distribution



~3 billion light years

Large-Scale Structure Terminology

Groups: have less than ~ 50 members, typical size ~ 2 Mpc.
Velocity dispersions ~ 150 km/s, total mass $\sim 10^{13} M_{\odot}$.

Clusters: have from ~ 50 members (a poor cluster) to ~ 1000 members (a rich cluster), typical size ~ 7 Mpc.
Velocity dispersions ~ 1000 - 2000 km/s, total mass $\sim 10^{15} M_{\odot}$.

Superclusters are filaments of clusters.

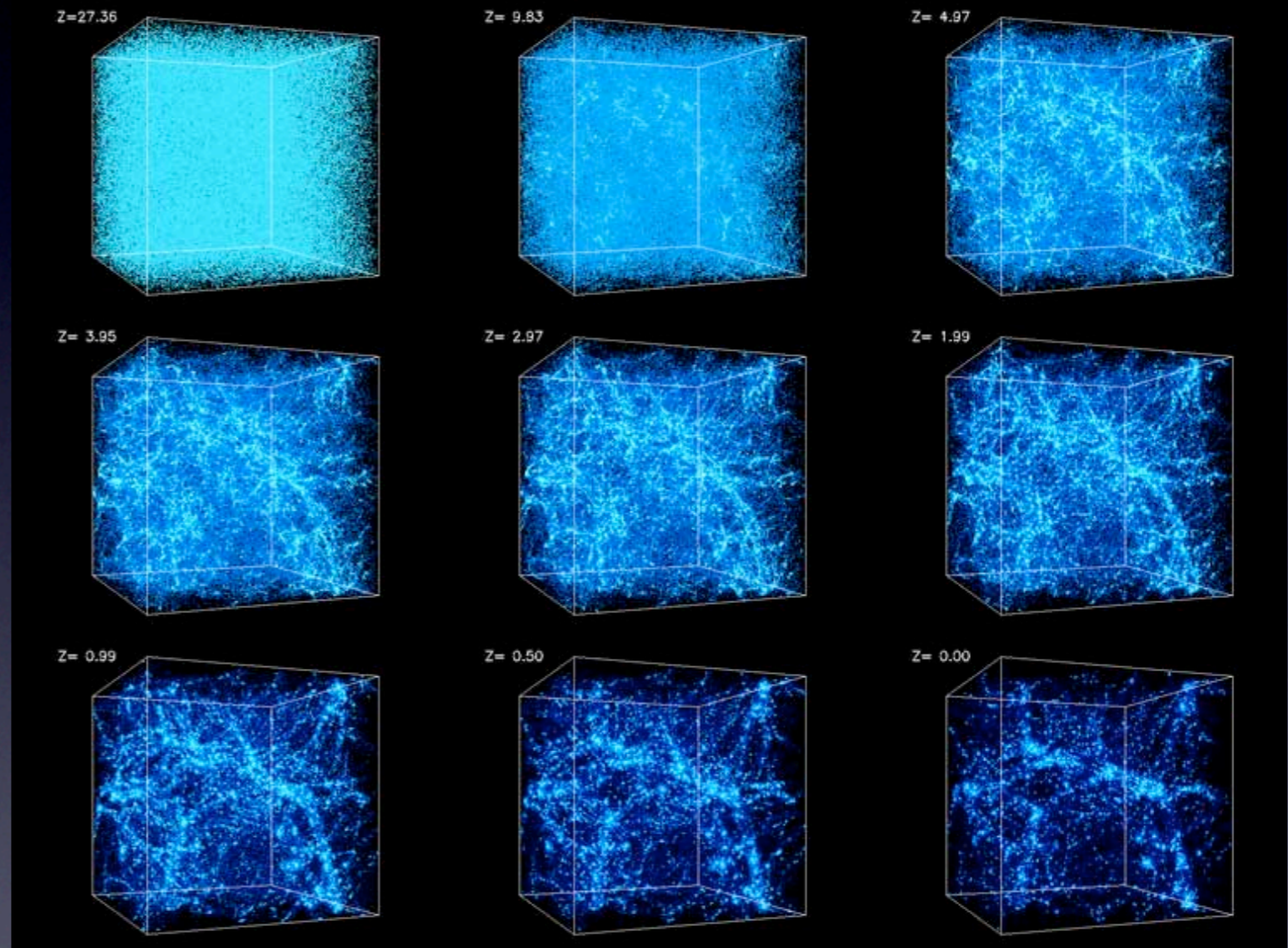


Structure Formation

Small initial perturbations are amplified by gravity

~380,000 years after the Big Bang these fluctuations were 1 part in 10,000 - tiny!!

Become the very overdense galaxy groups and clusters of today

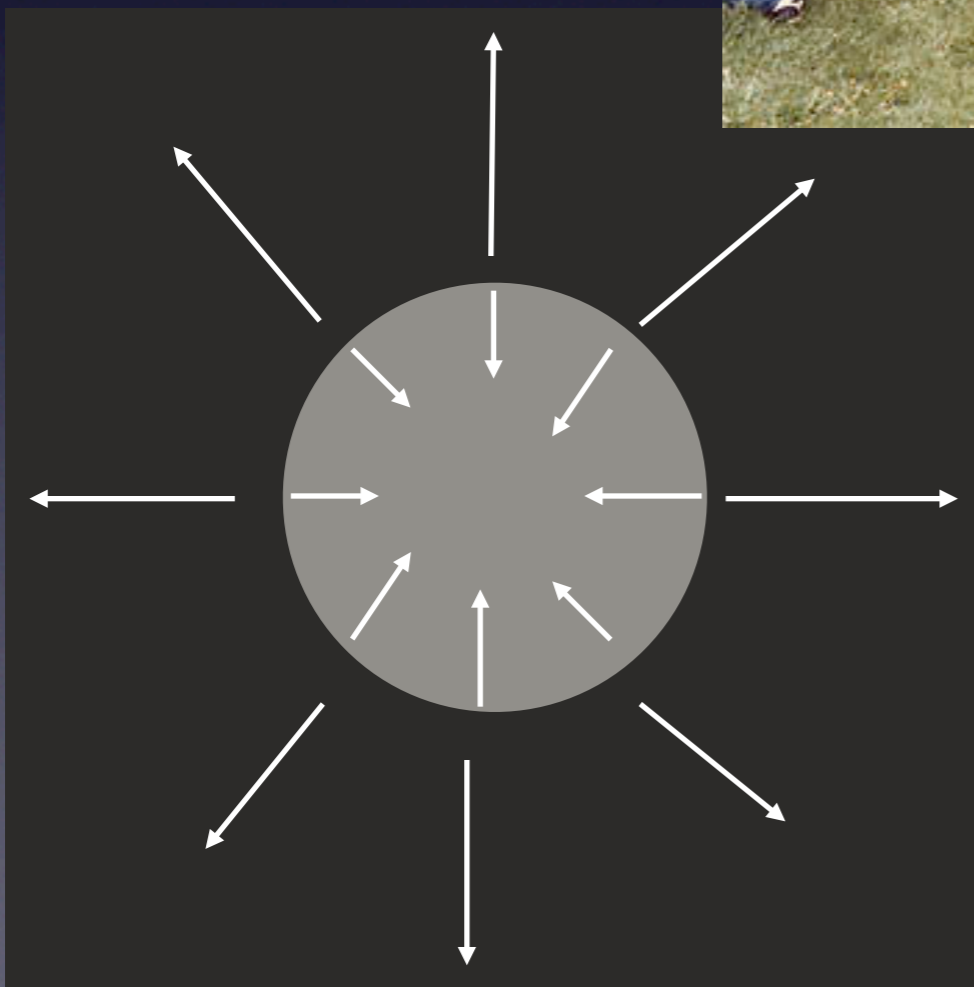


Structure Formation

Cosmological expansion / dark energy

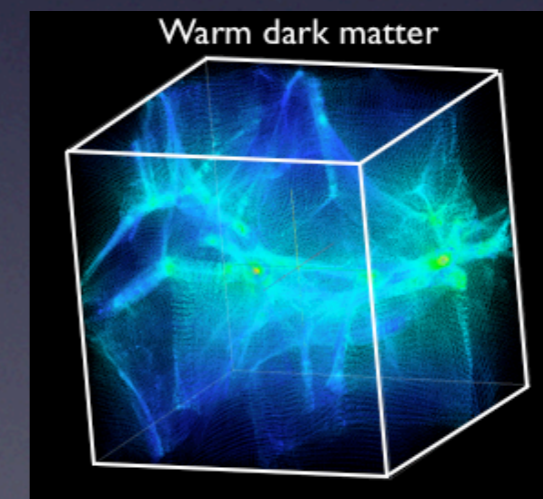
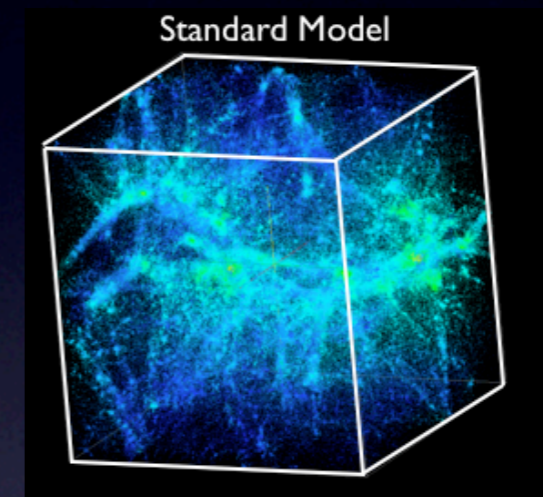
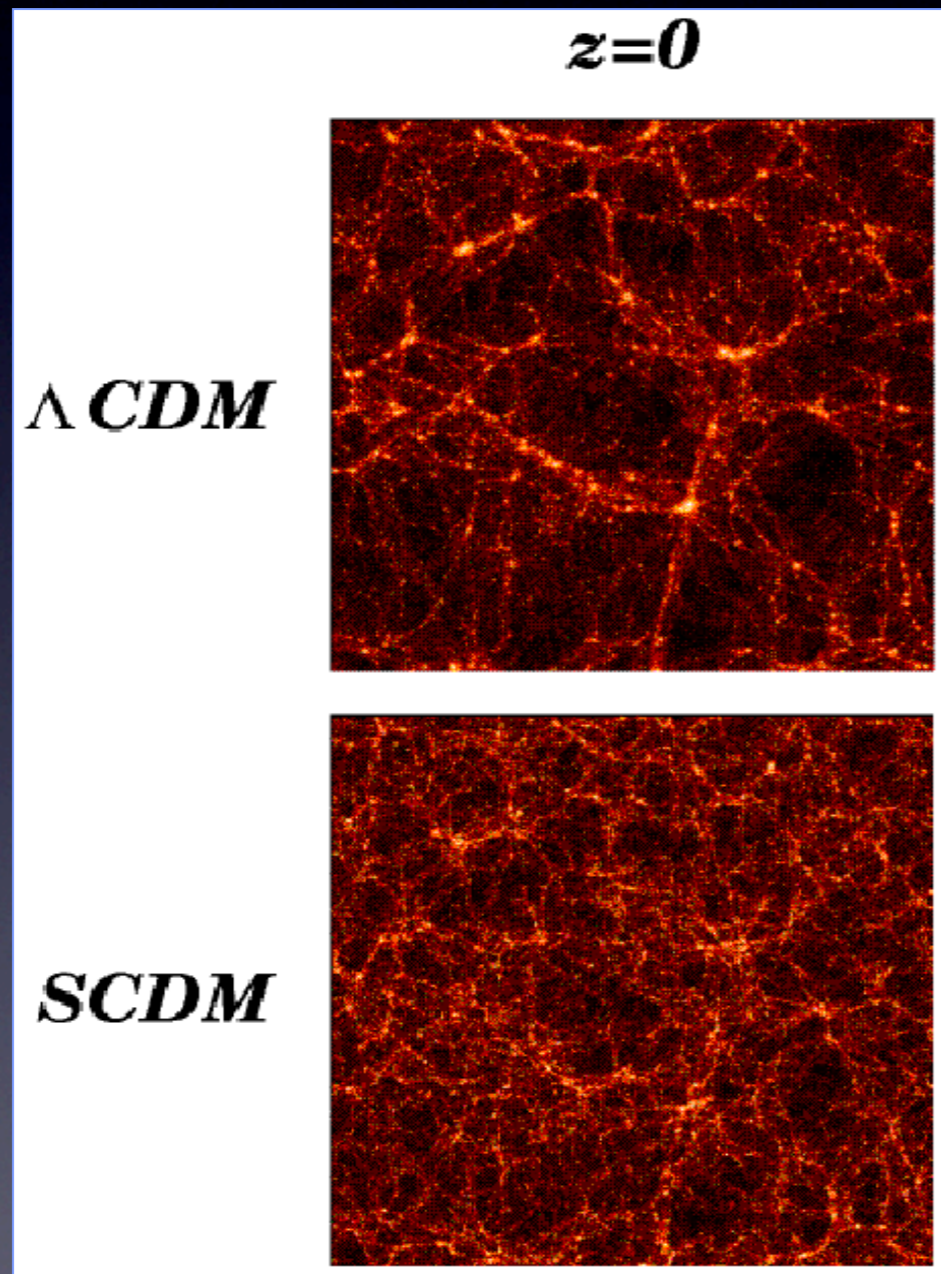


Gravity / dark matter



Overdensities grow into **gravitationally bound** structures - dark matter halos.

Large-scale Structure Depends on Cosmology



Clustering Primer

Galaxy clustering reflects:

- initial fluctuations in the mass density field + gravity
- cosmological parameters
- how galaxies populate dark matter halos

Trace different physics on different scales:

- small scales ($r < 100$ kpc/h):
mergers + galaxy-galaxy interactions
- intermediate scales (100 kpc/h $< r < 2$ Mpc/h):
radial profiles of galaxies w/in halos / groups / clusters
- large scales ($r > 2$ Mpc/h):
large-scale density field / cosmology /
host dark matter halo mass

Clustering Primer

Quantify clustering:

$$dP = n[1 + \xi(r)]dV$$

two-point correlation function

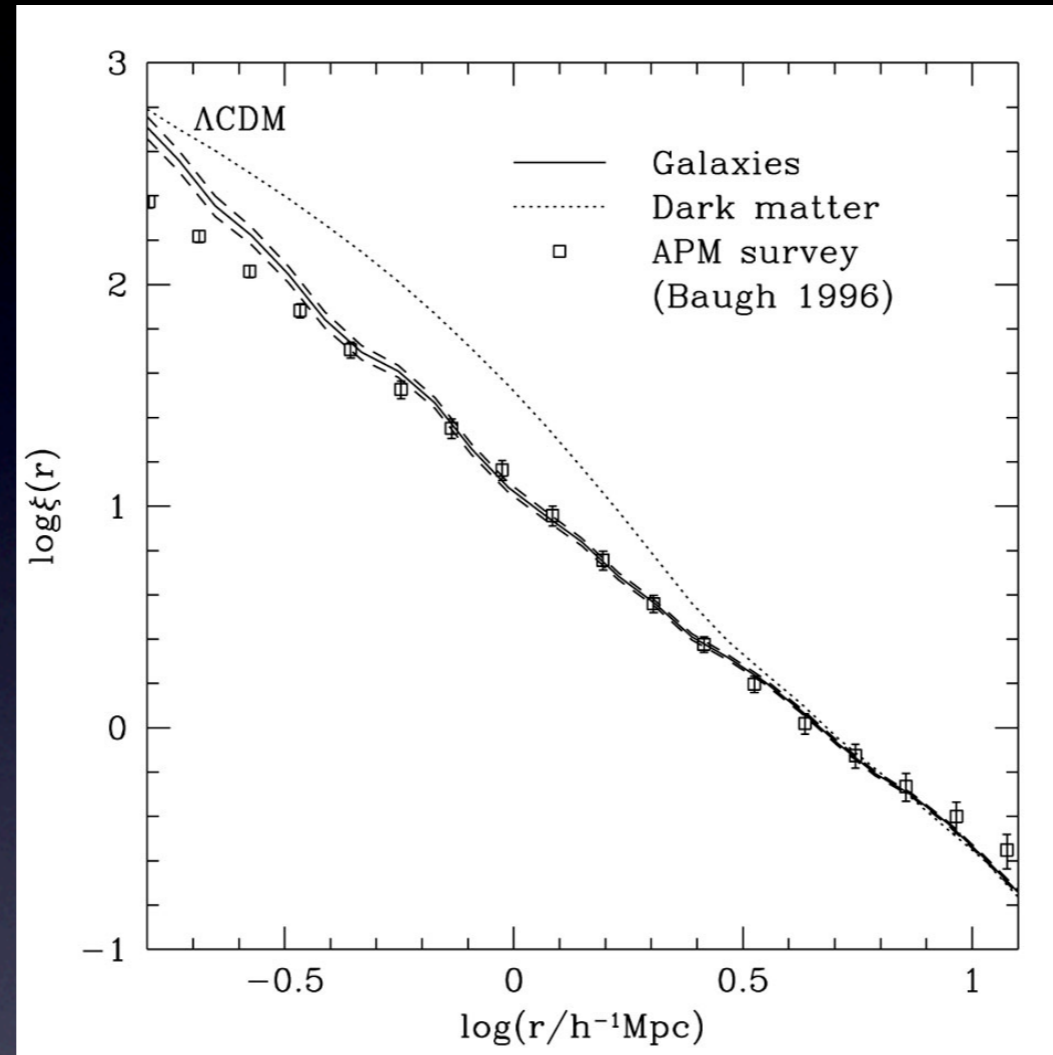
r is separation between 2 galaxies, n is number density of galaxies relative to a random unclustered distribution

count pairs of galaxies as $f(r)$ for data and random:

$$\xi = \frac{n_R}{n_D} \frac{DD}{DR} - 1,$$

$$\xi = \frac{1}{RR} \left[DD \left(\frac{n_R}{n_D} \right)^2 - 2DR \left(\frac{n_R}{n_D} \right) + RR \right].$$

Clustering Primer

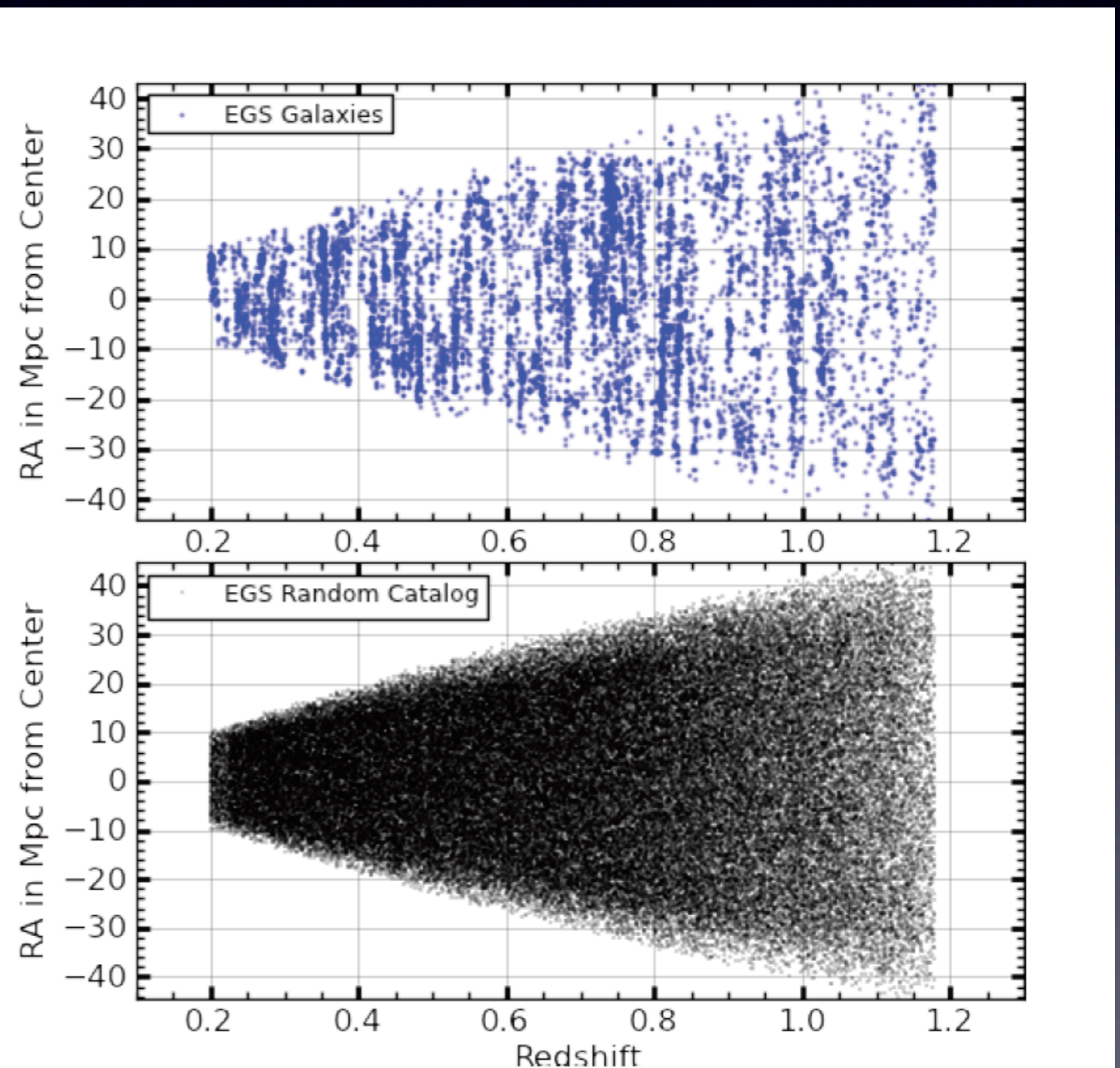
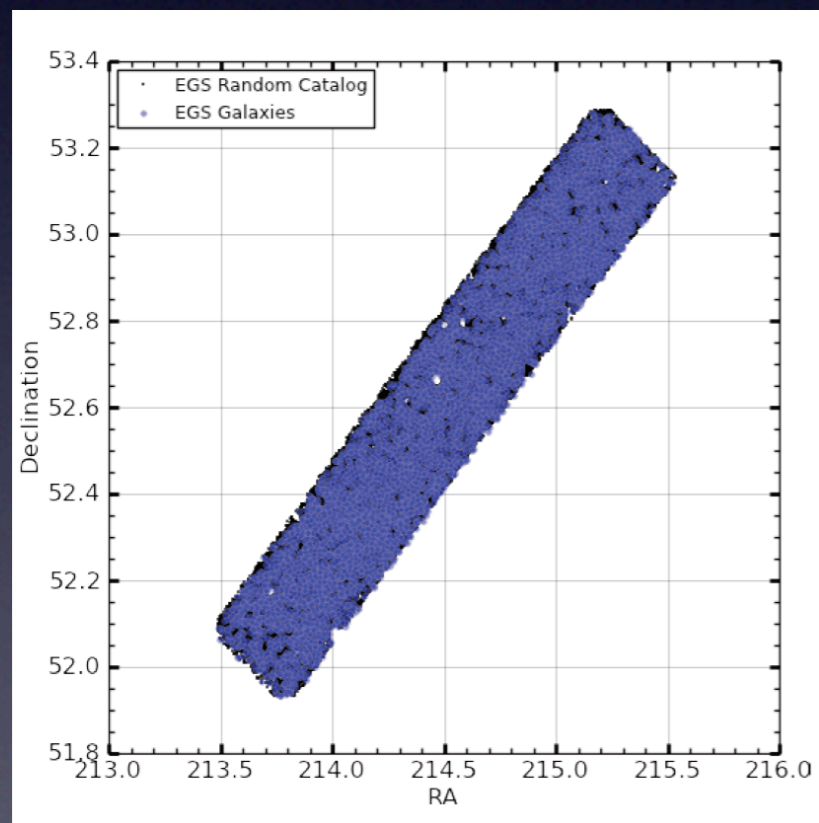


large on small scales, small on large scales

roughly a power law: $\xi(r) = (r_0/r)^\gamma$ r_0 - scale length

Random Catalog

Random catalog has same sky and redshift coverage as data. It must include masking of bright stars, CCD defects, vignetting in spectrograph, etc.! Must know your selection function very well, both spatially and in z .



Angular Clustering

2d projected angular correlation function:

$$dP = N[1 + \omega(\theta)]d\Omega$$

can infer the 3d correlation function *if* you know the redshift distribution of sources

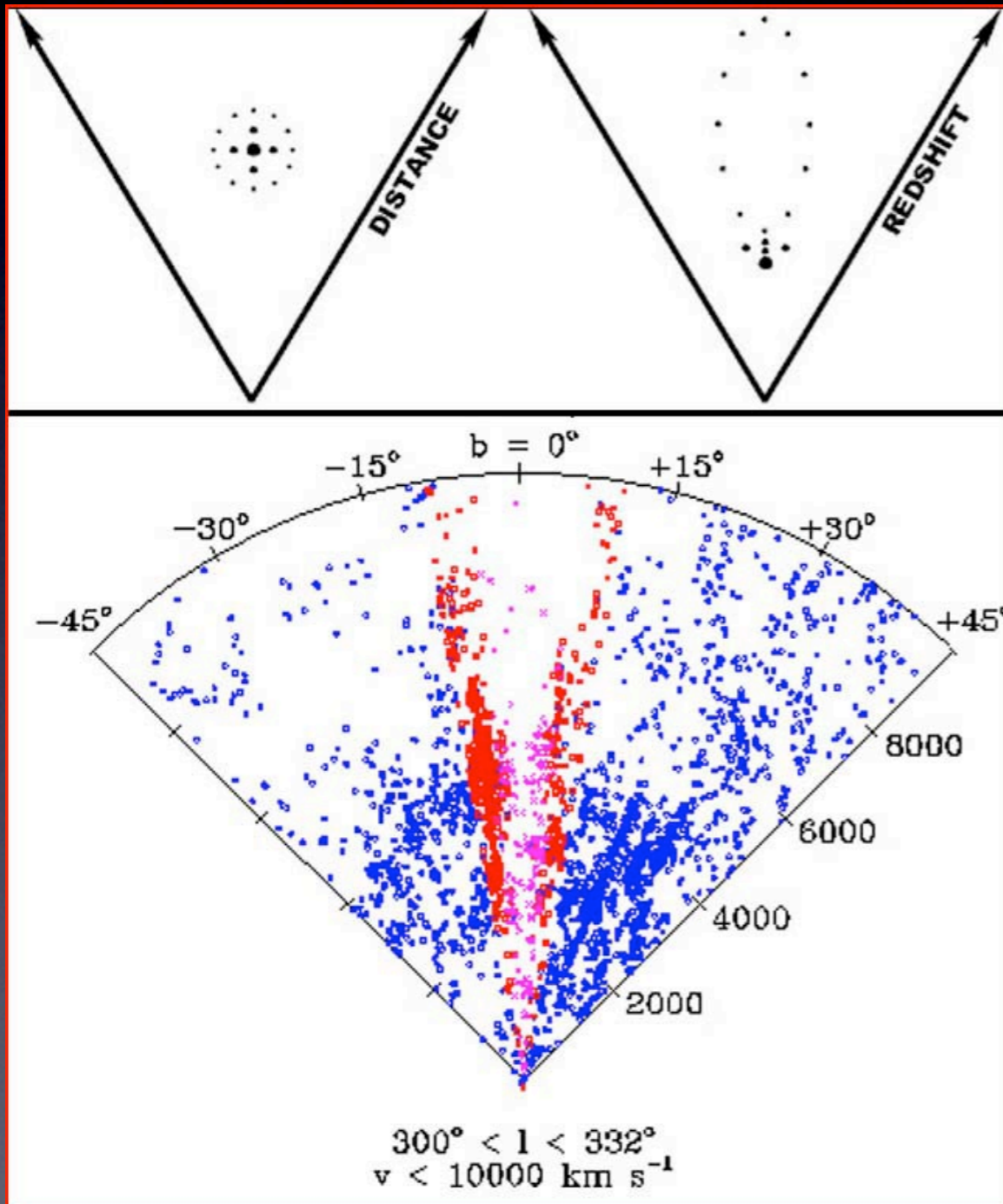
$$\omega(\theta) = A_\omega \theta^\delta$$

$$A = \frac{\int_0^\infty r_0^\gamma(z) g(z) \left(\frac{dN}{dz}\right)^2 dz}{\left[\int_0^\infty \left(\frac{dN}{dz}\right) dz\right]^2}$$

degeneracy b/w inherent clustering amplitude and dN/dz width
dominant error is lack of knowledge of dN/dz

Redshift Space Distortions

real space redshift space



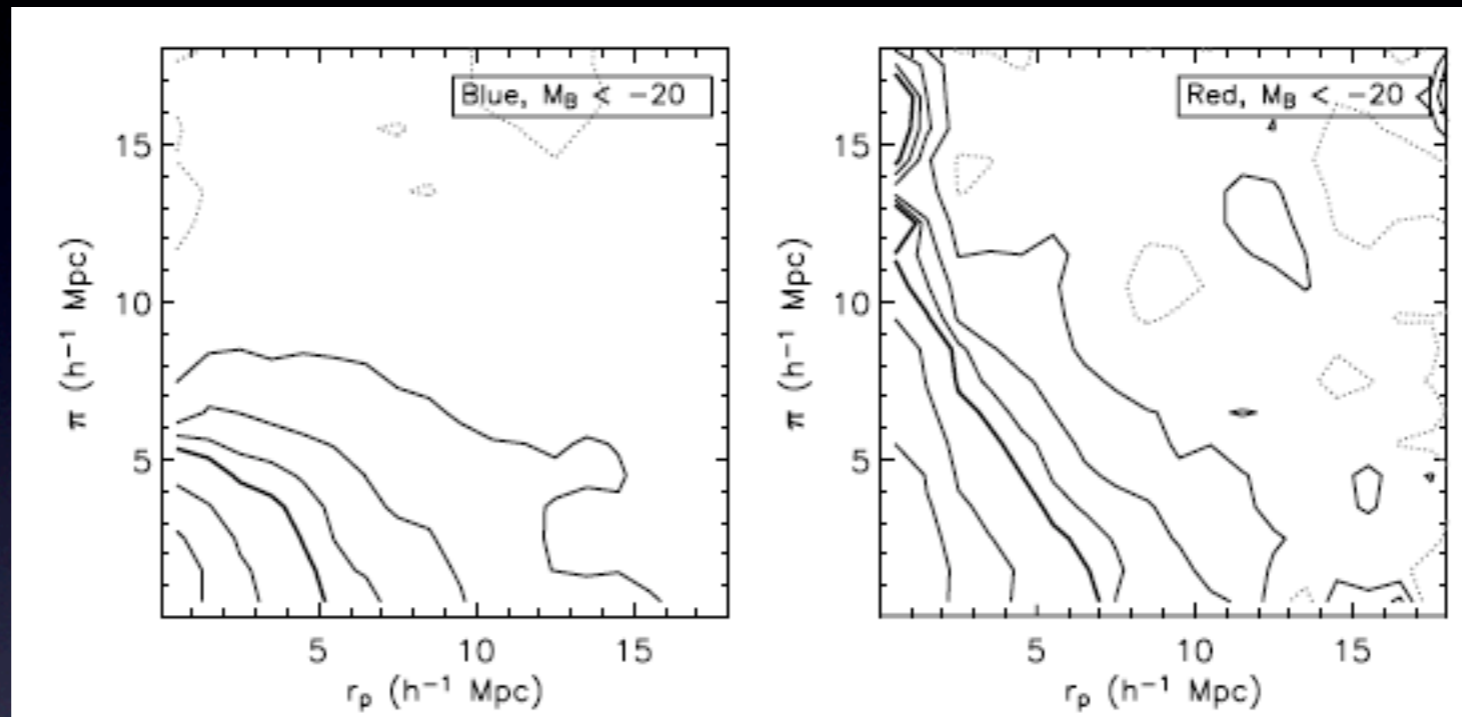
“Fingers of God”

- generally see on scales < few Mpc/h - virialized motions of galaxies w/in halos

- on larger scales see coherent infall of galaxies into forming structures (Kaiser effect)

Redshift Space Distortions

$$\xi(r_p, \pi)$$



- integrate along line of sight to get projected correlation function:

$$w_p(r_p) = 2 \int_0^{\infty} d\pi \xi(r_p, \pi)$$

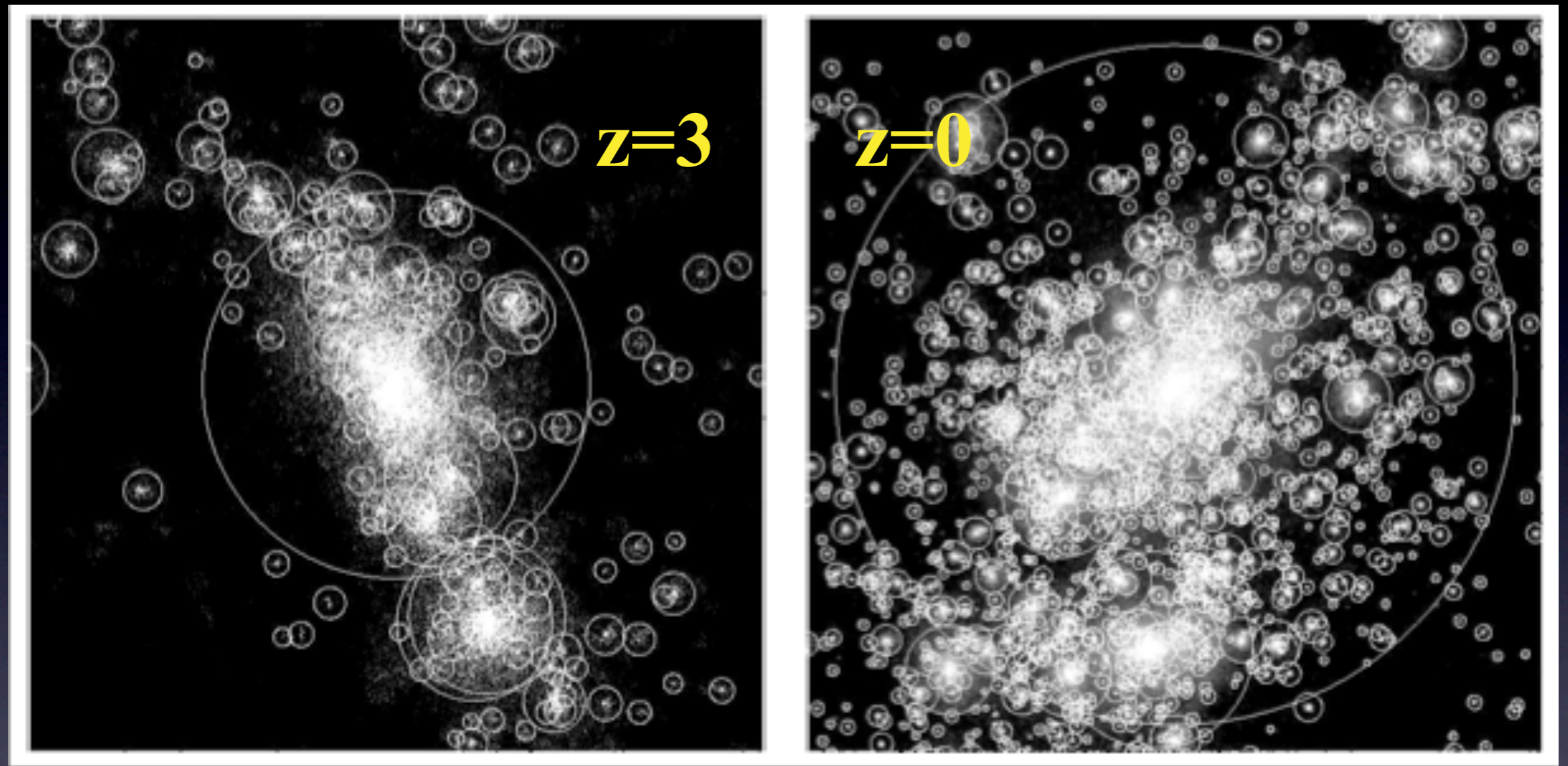
- can fit a power law to that:

$$w_p(r_p) = r_p \left(\frac{r_0}{r_p} \right)^\gamma \frac{\Gamma(\frac{1}{2})\Gamma(\frac{\gamma-1}{2})}{\Gamma(\frac{\gamma}{2})},$$

Millennium Simulation

The background of the slide is a dense field of simulated galaxies from the Millennium Simulation. The galaxies are represented as small, multi-colored points of light, primarily in shades of purple, blue, and orange, scattered across a dark, black space. The distribution is highly irregular, showing a complex web of filaments and clusters, characteristic of the large-scale structure of the universe as modeled in this simulation.

Dark Matter Distribution



Kravtsov et al. 2004

Dark matter halos are collapsed overdensities
in the matter distribution.
Galaxy clustering = halo clustering (cosmology) +
galaxies in halos (galaxy formation)

Galaxy Bias

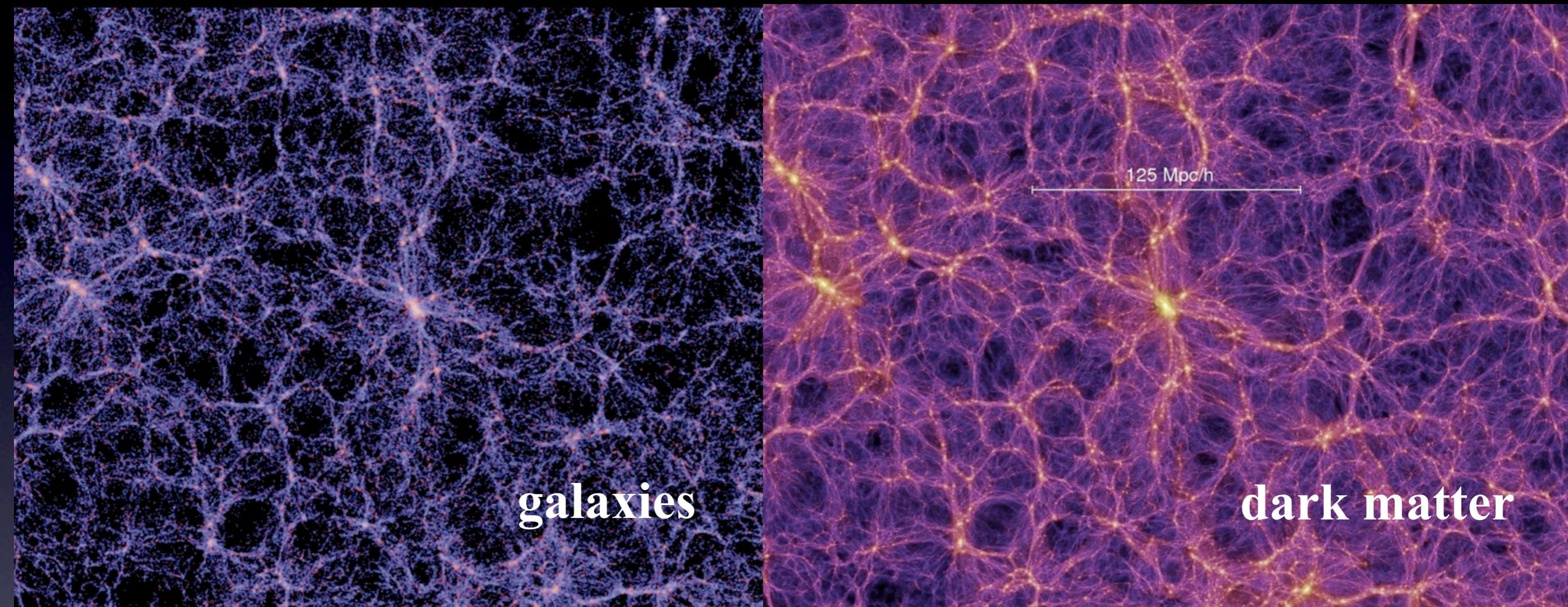
The galaxy density field is a discrete and possibly stochastic function of the underlying dark matter density field.

linear galaxy bias: mean overdensity of galaxies / mean overdensity of mass

$$b = \delta_g / \delta,$$

$$b = (\xi_{\text{gal}} / \xi_{\text{dark matter}})^{1/2}$$

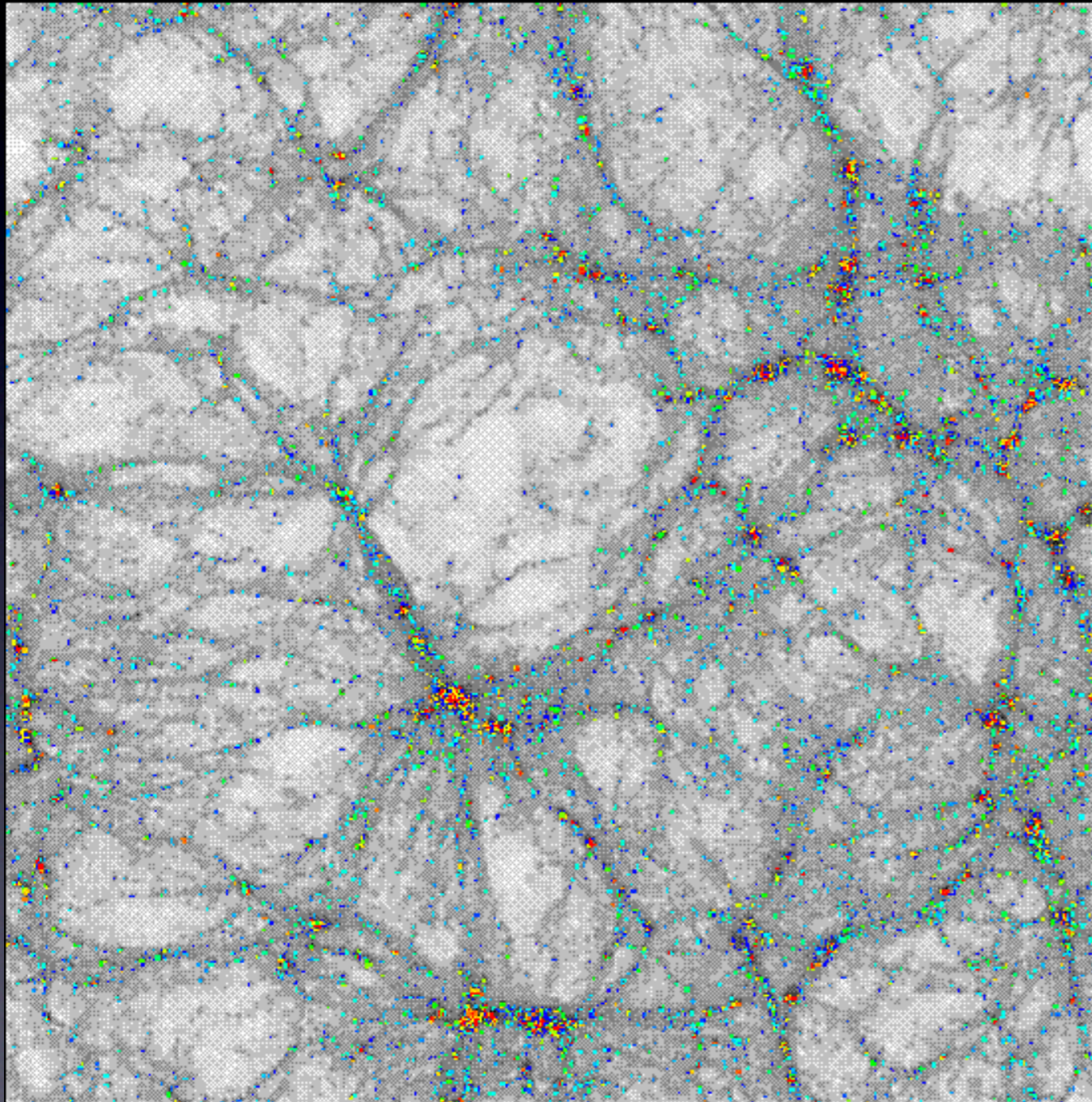
Bias: galaxy/dark matter clustering



$z=0$ Millenium Run simulation

Applied a semi-analytic model that predicts that galaxies are not very biased tracers of the mass at $z=0$, on large scales.

Bias: galaxy clustering/dark matter clustering



Bias is expected to evolve with redshift, as first galaxies at high- z formed in densest regions.

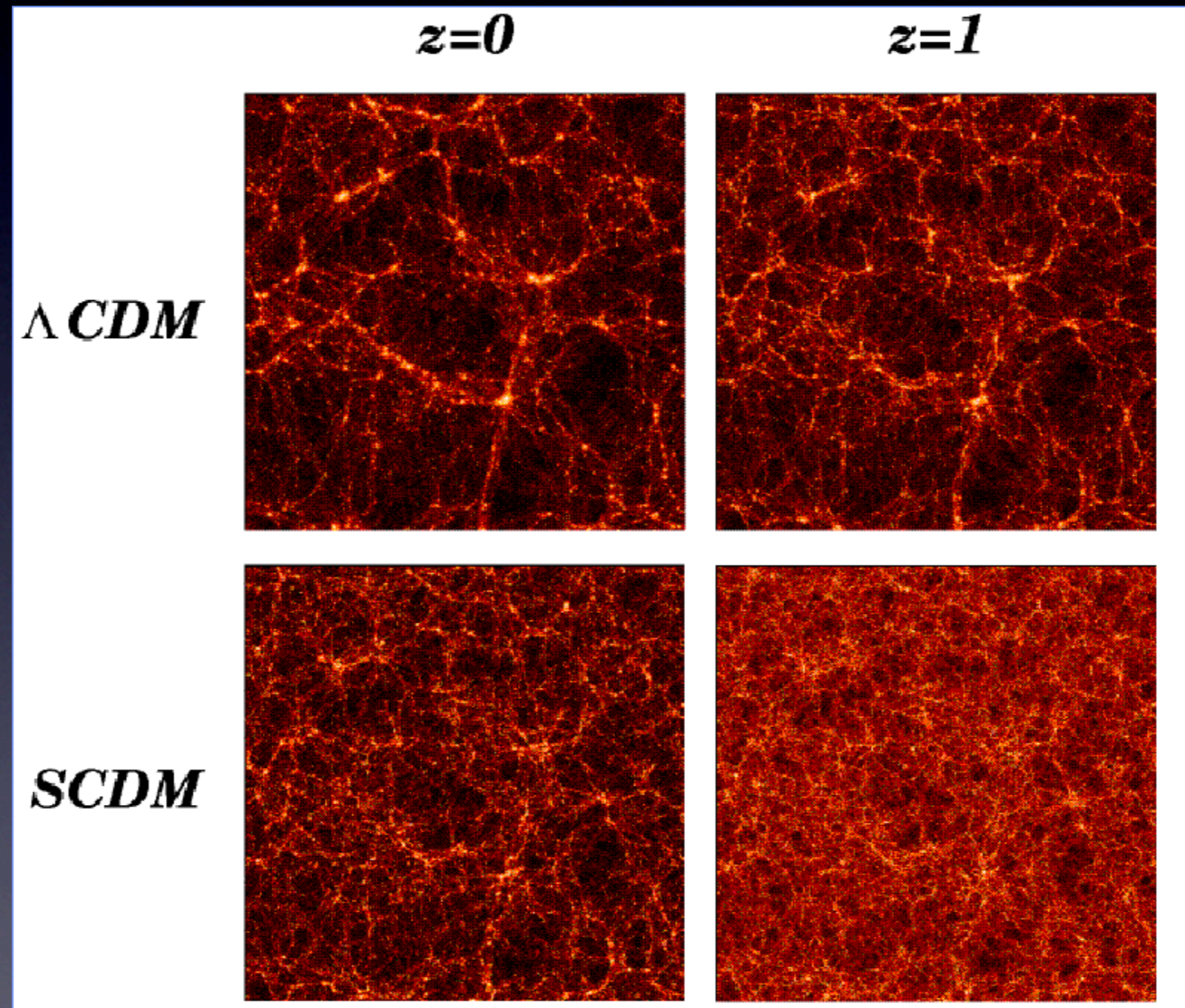
Observations:

$z=3: b \sim 4$ $z=0: b \sim 1$

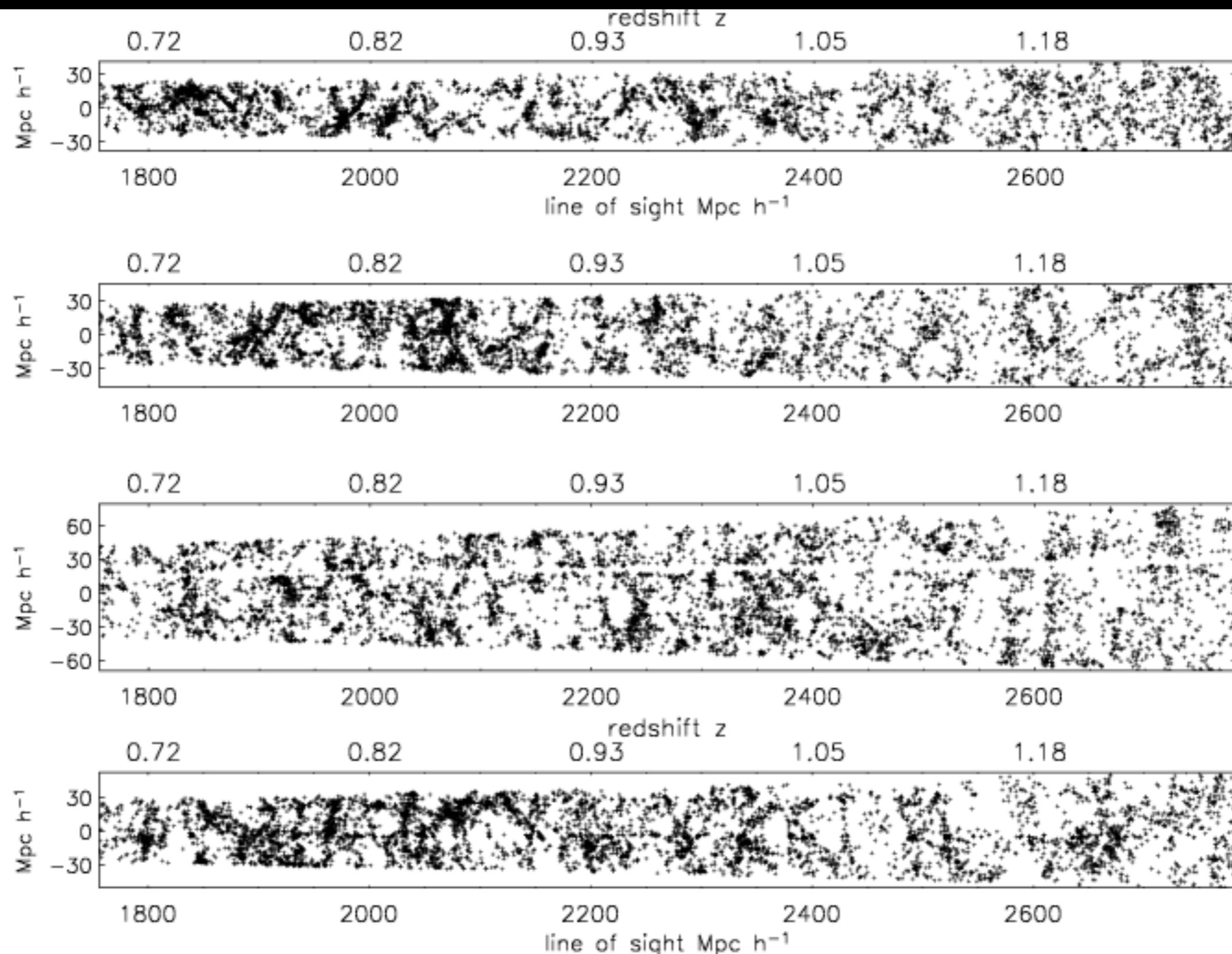
Evolution of bias and dependence on scale and galaxy properties places strong constraints on galaxy formation theories.

Galaxy formation sim. at $z=3$ by Kauffmann et al. grey=dark matter particles colors=galaxies

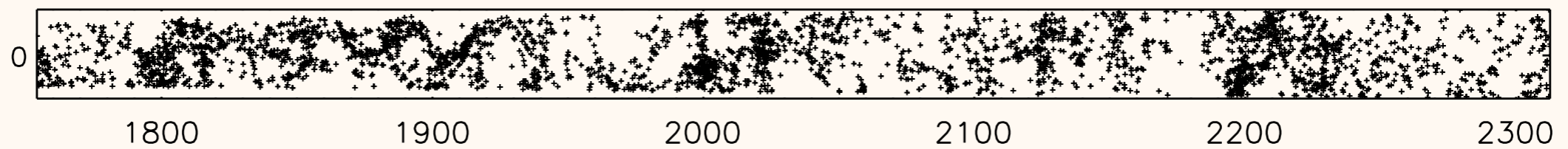
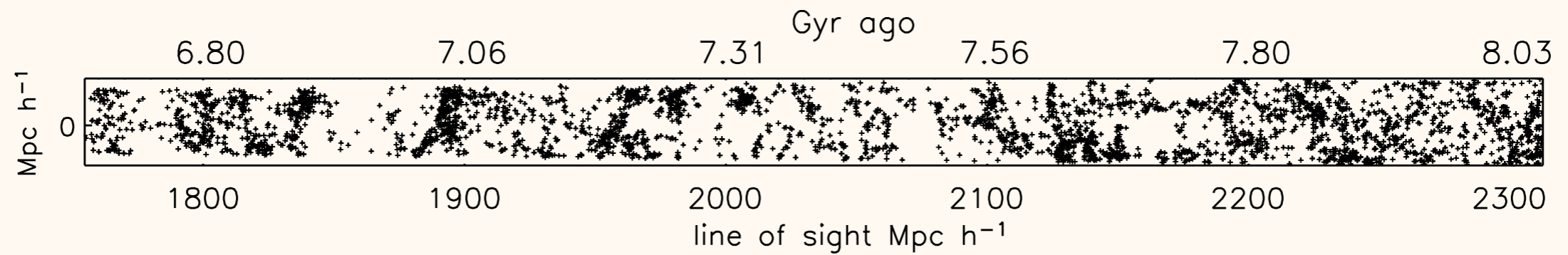
High redshift galaxy surveys can break degeneracy w/ bias at $z=0$



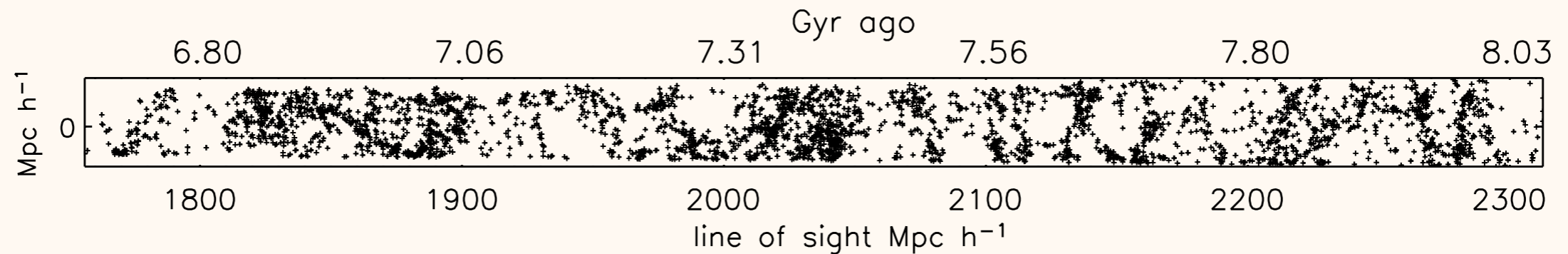
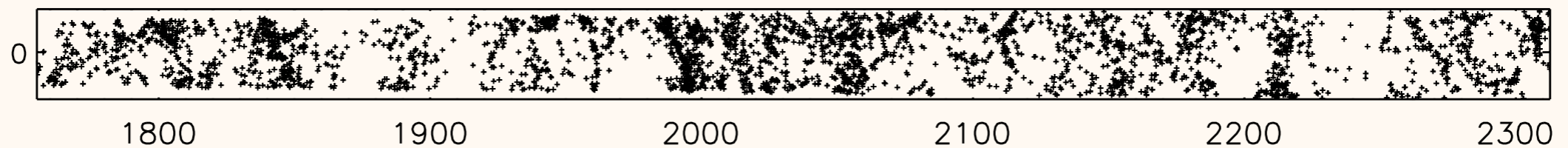
Redshift Maps in 4 Fields at $z=1$



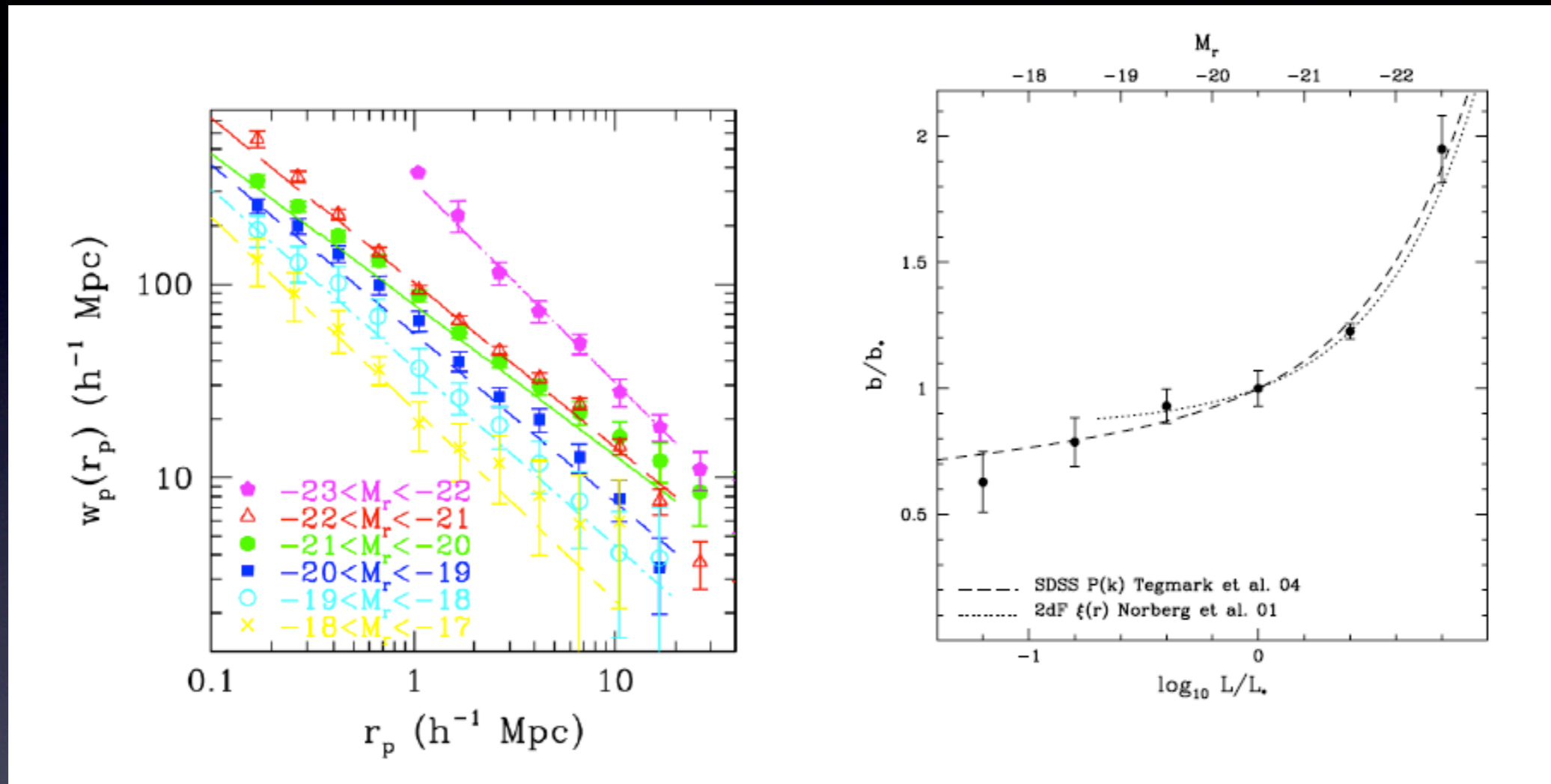
Redshift Maps in 4 Fields at $z=1$



LCDM simulation



Dependence of Clustering on Galaxy Properties



Zehavi et al. 2011

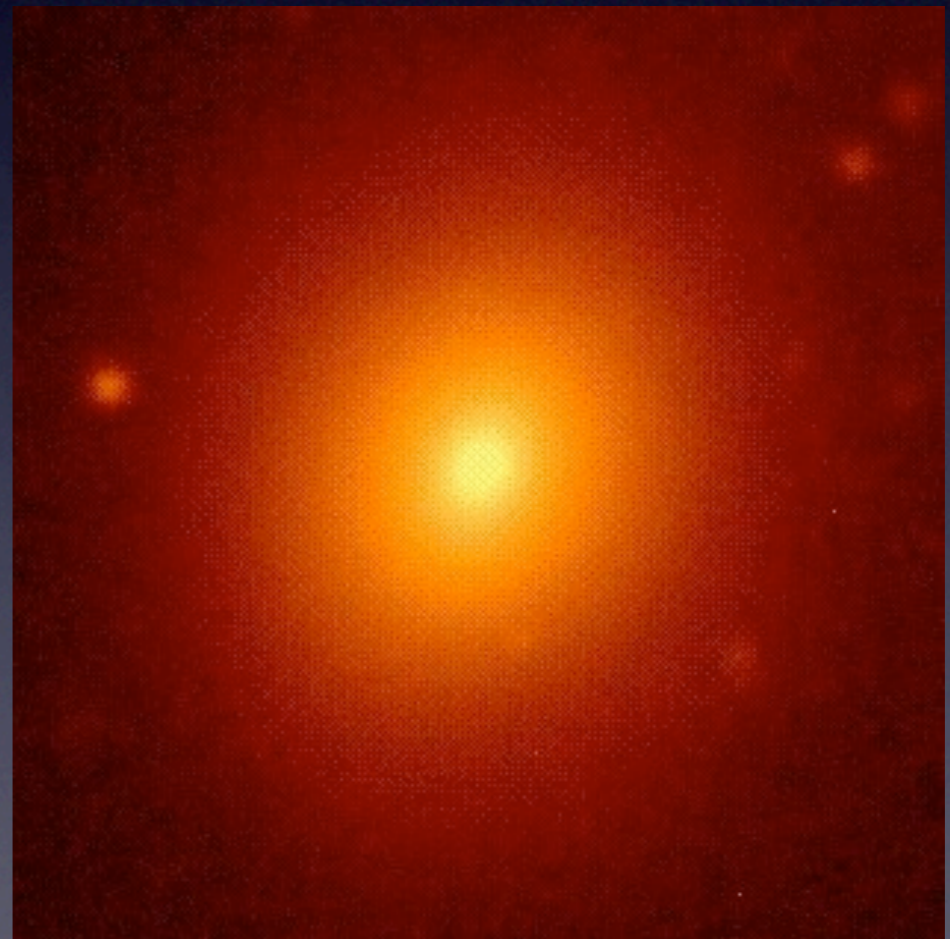
luminosity dependence:
more luminous galaxies reside in more massive dark matter halos

Star-forming vs quiescent galaxies

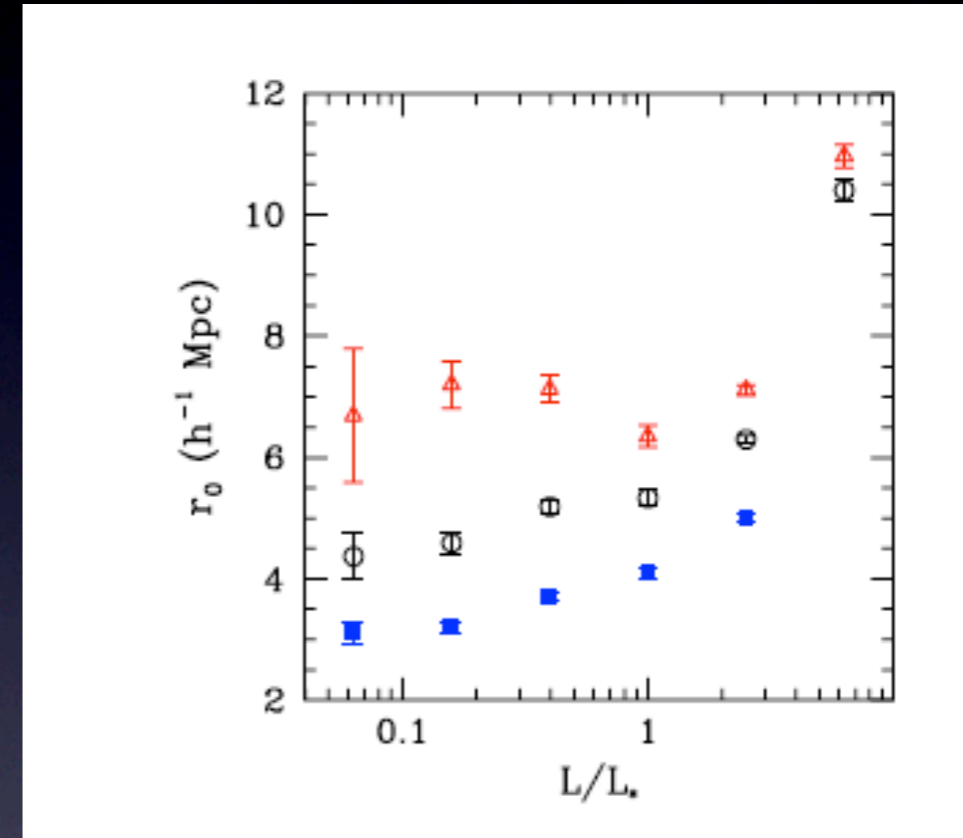
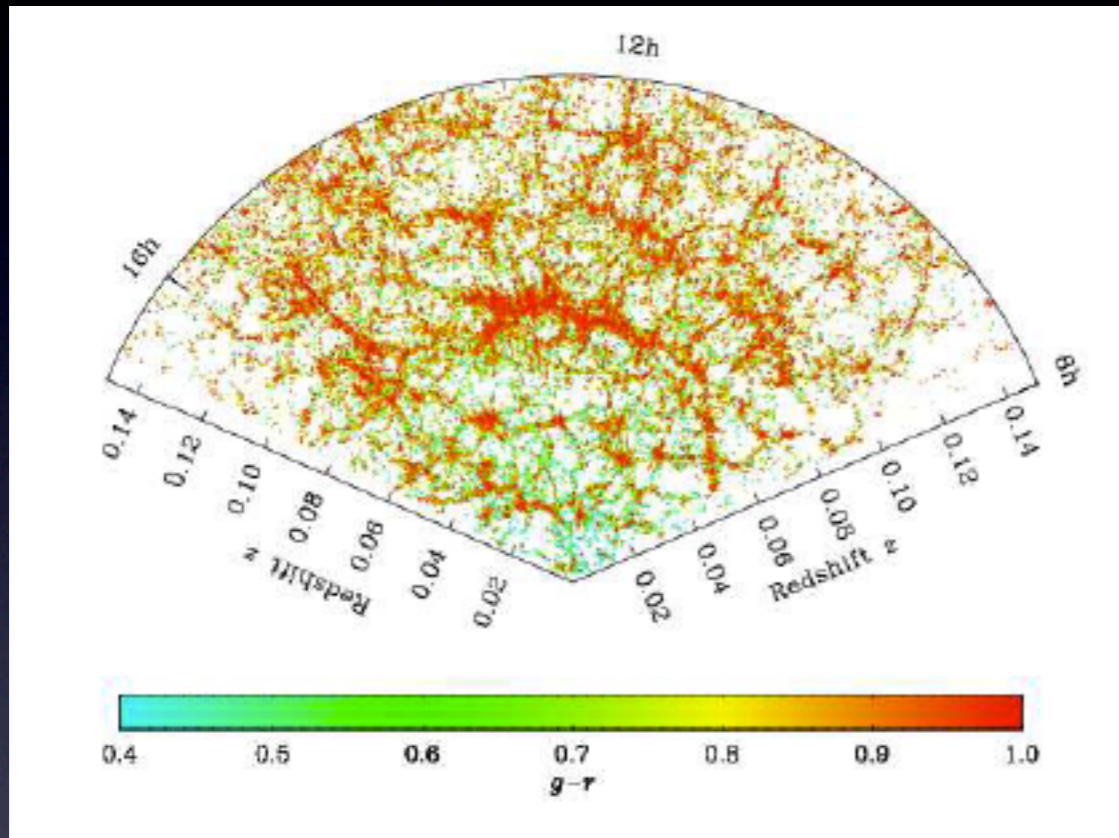
spiral, forming stars,
lots of dust and gas,
blue color



elliptical, not forming stars,
little dust and gas,
red color



Dependence of Clustering on Galaxy Properties

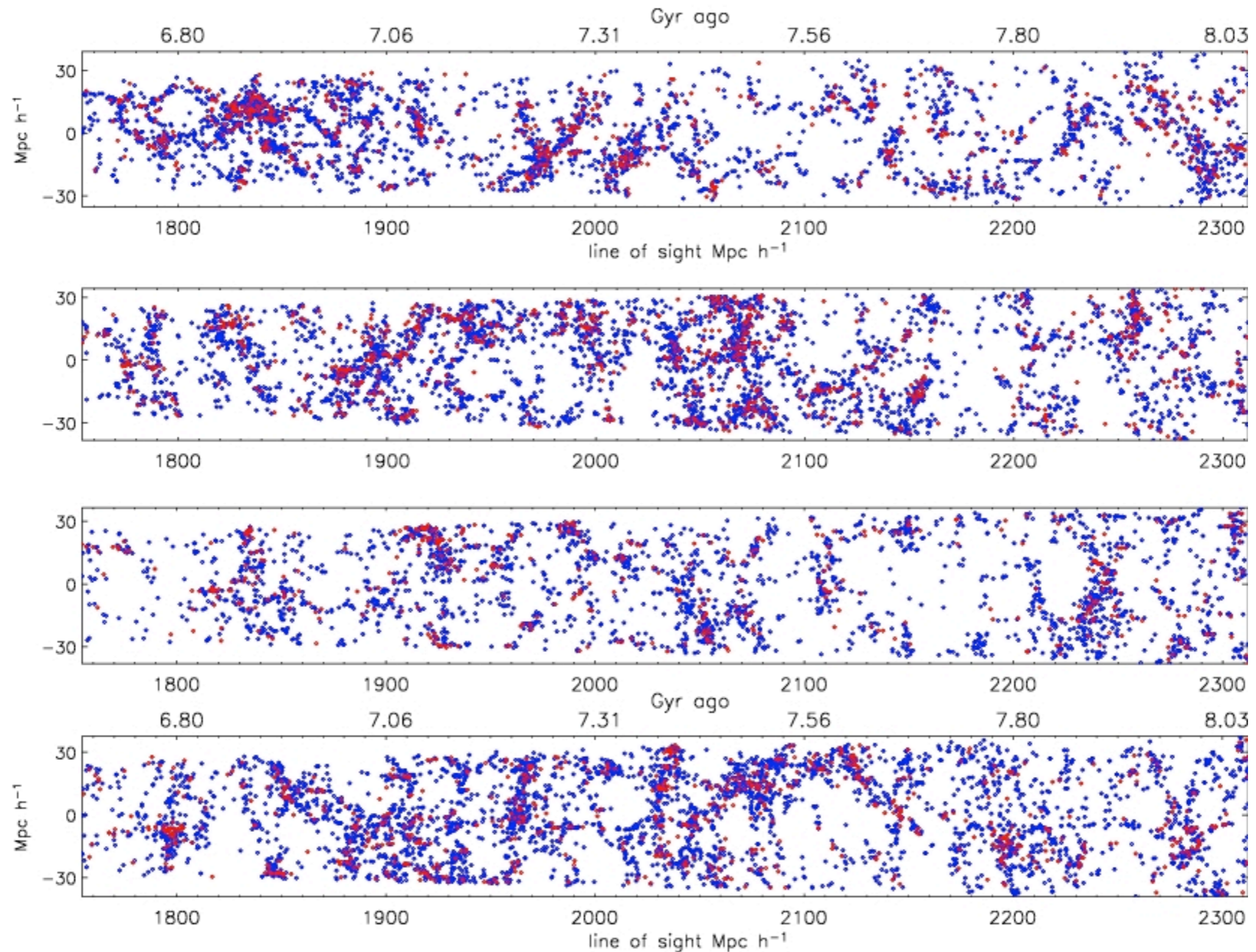


Zehavi et al. 2011

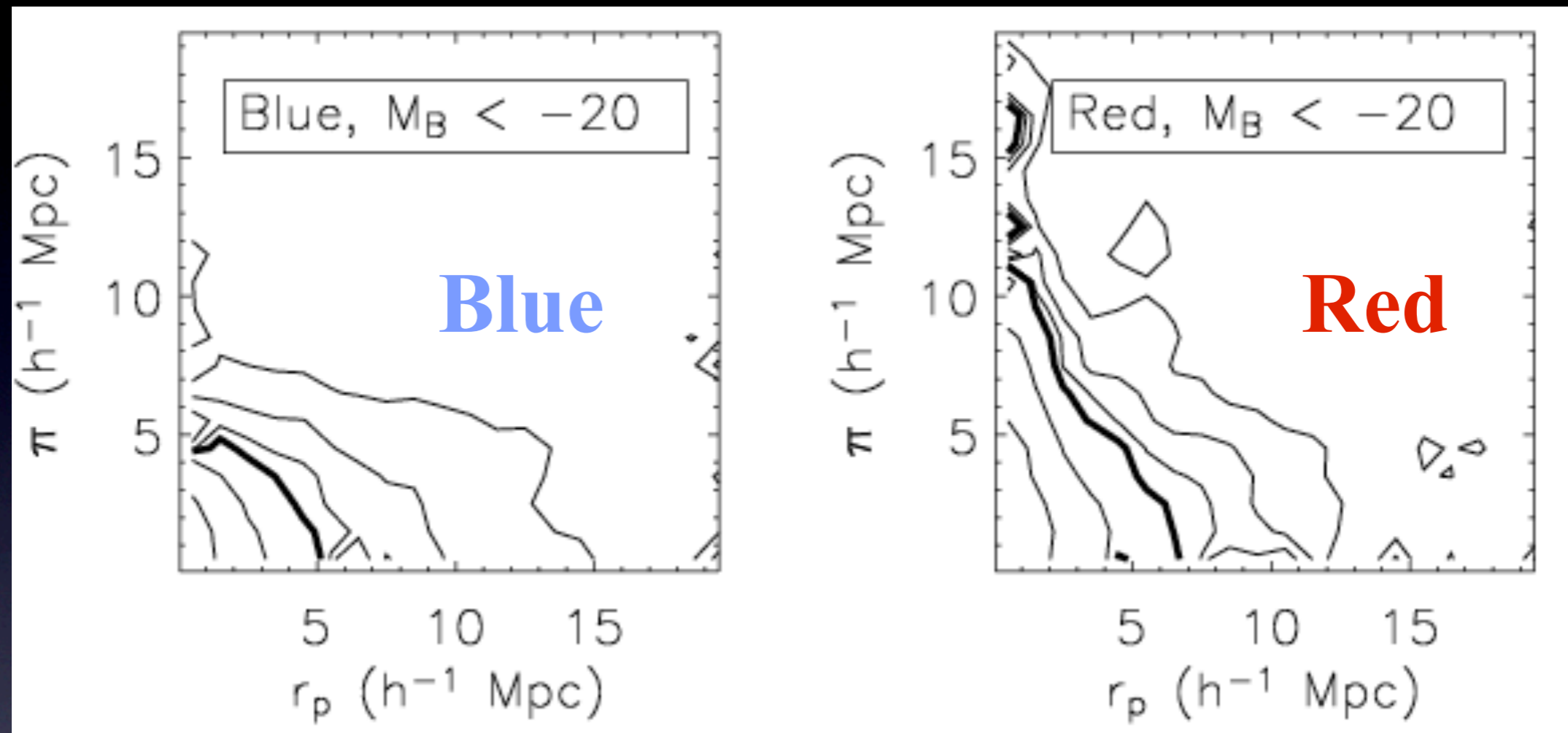
color dependence:
stronger than luminosity dependence
redder galaxies more clustered than bluer galaxies -
reside in more massive halos

Clustering at $z=1$

real data:



Galaxy Clustering as a Function of Color



Coil et al. 2008

**Red galaxies have a larger r_0 and larger velocity dispersion:
reside in more massive halos / virialized overdensities.
Detect coherent infall on large scales for blue galaxies.**

Clustering at $z=1$

Quantify minimum dark matter halos mass as a function of galaxy color (for $M_B < -20$):

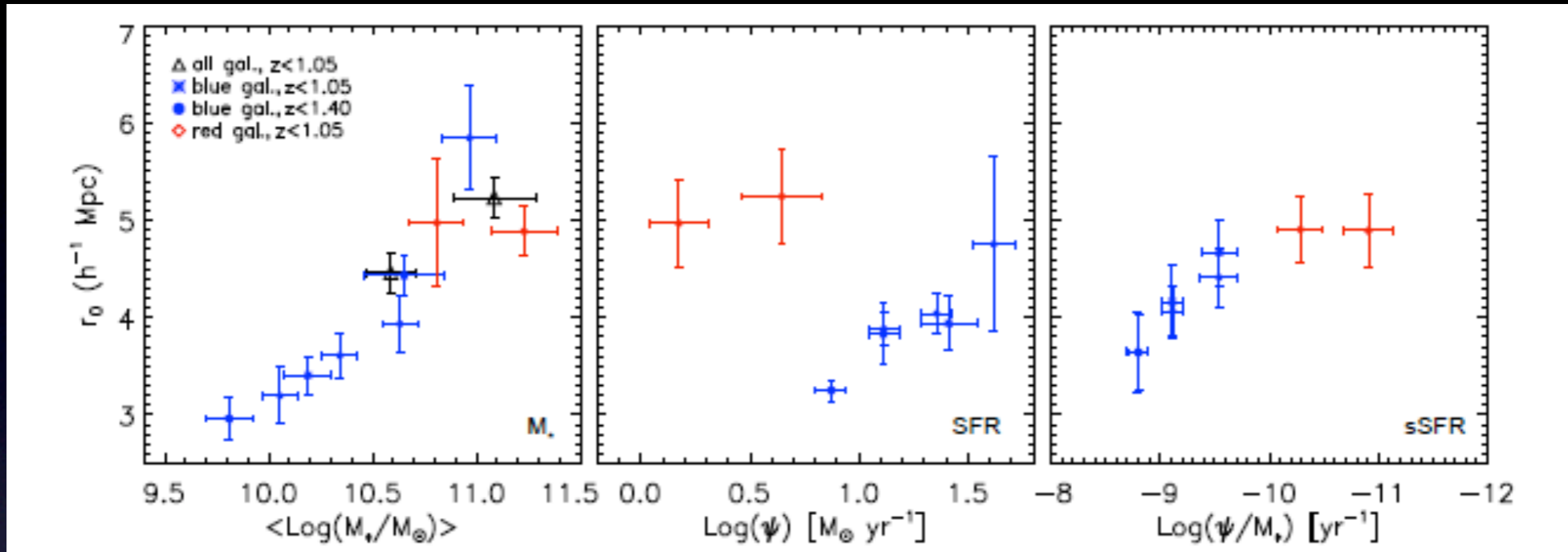
red: $b=1.6, M_{\text{halo}} > 2 \cdot 10^{12} M_{\odot}/h$

blue: $b=1.3, M_{\text{halo}} > 4 \cdot 10^{11} M_{\odot}/h$

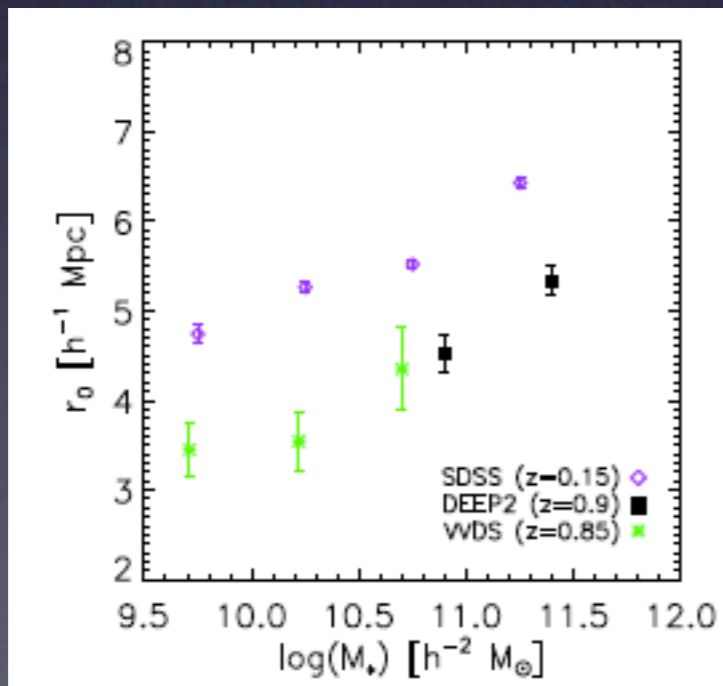
- important for color bimodality theories and simulations of gas accretion and star formation

Color-density relation is not caused by clusters. Only a few % of $z=1$ galaxies are in clusters. Either caused by physics in groups or intrinsic galaxy or halo property such as age / stellar mass / halo mass.

Stellar Mass and SFR Dependence



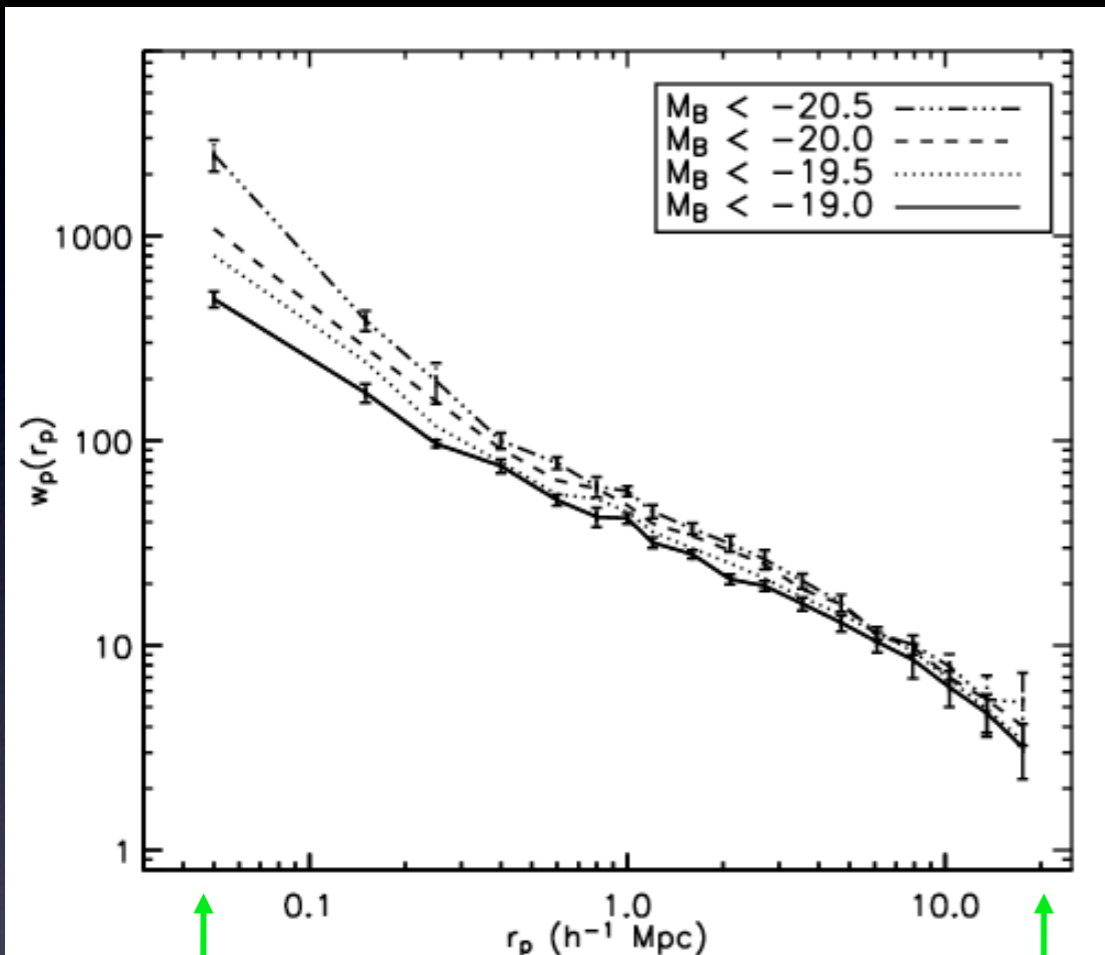
Mostek et al. 2013



- at a given stellar mass, clustering scale length grows with time

Luminosity-dependence of clustering

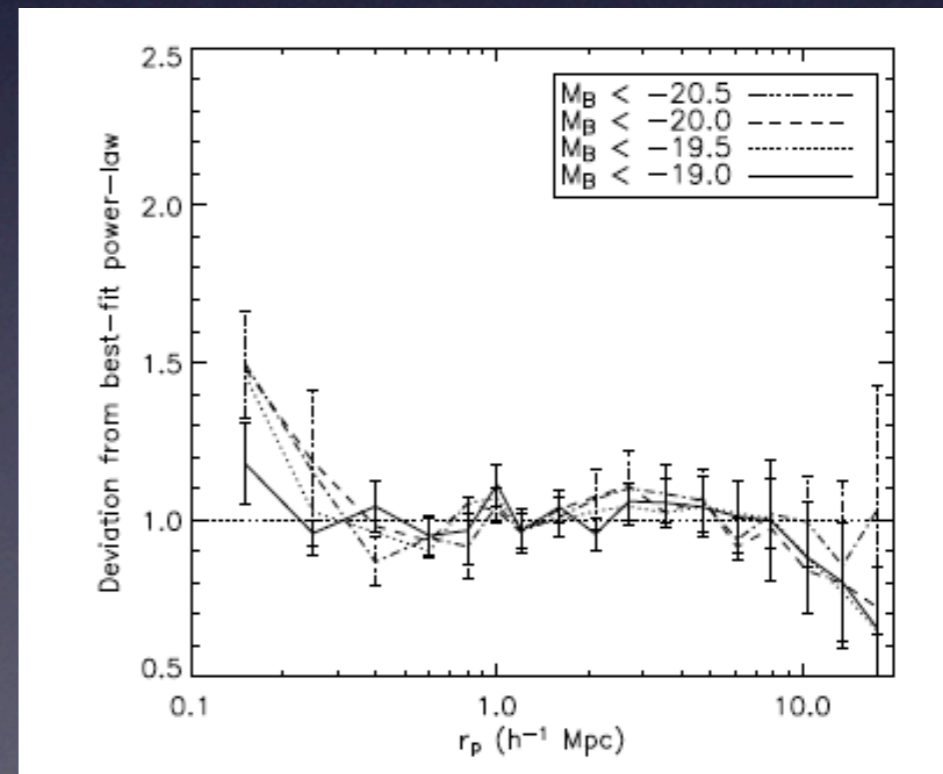
At $z=1$ brighter galaxies are more clustered and have steeper slopes on small scales -- preferentially found in groups -- sub-structure.



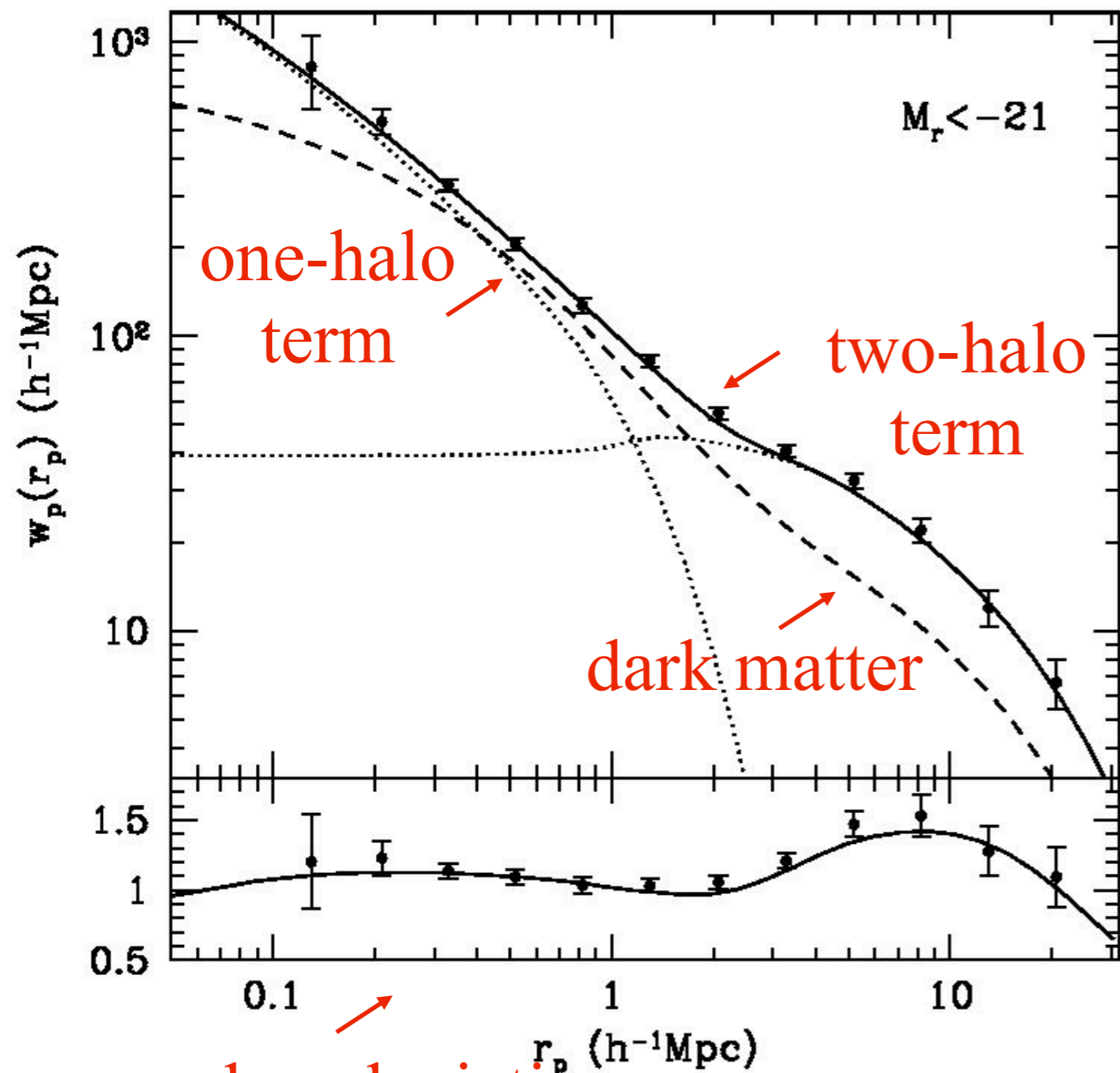
50 kpc/h

20 Mpc/h

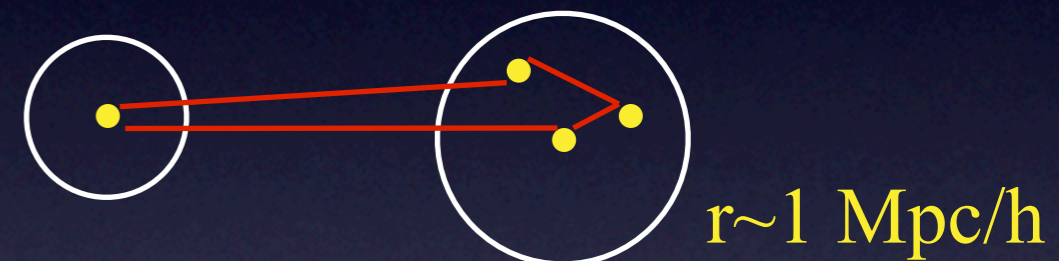
Coil et al. 2006



Deviations from a power-law



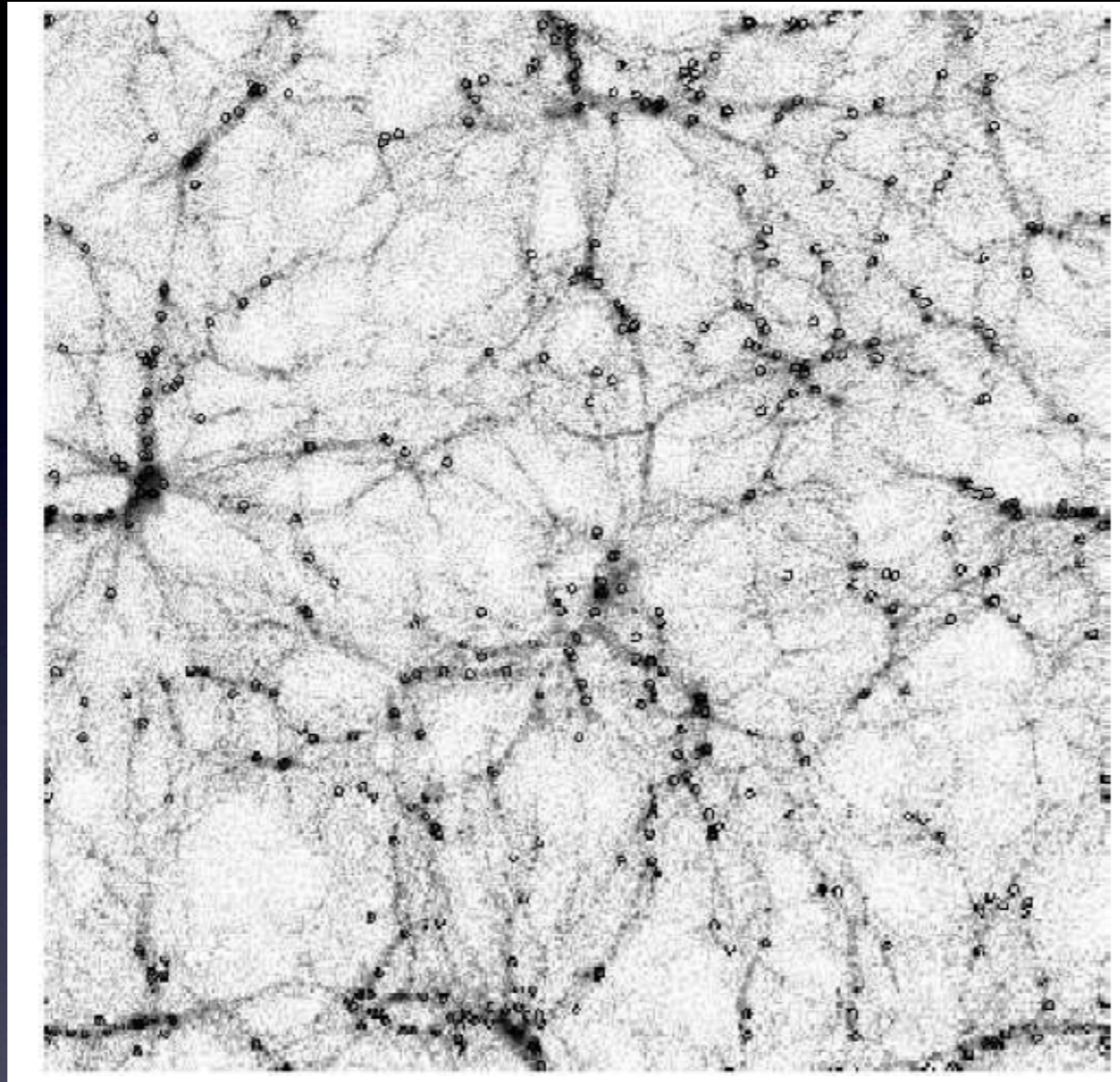
Can fit $\xi(r)$ with an analytic halo occupation distribution (HOD) model - $N_{\text{gals}}(M_{\text{halo}})$



Naturally explains \sim power-law and fits the small deviations

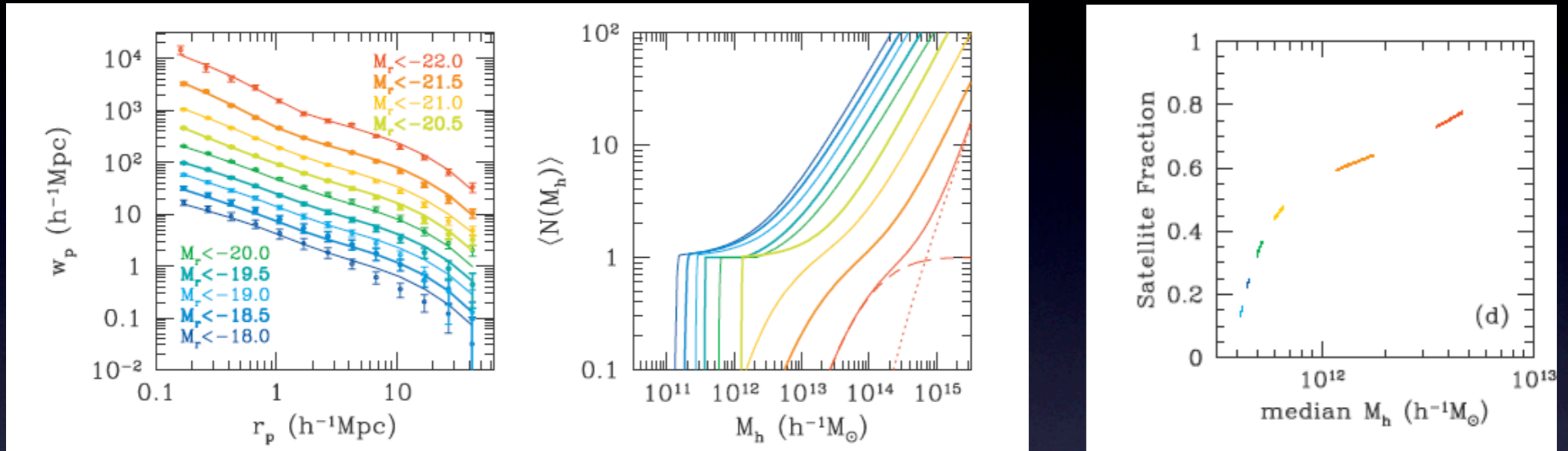
Differentiates between 'central' galaxies and 'satellite' galaxies

Populating Halos with Galaxies



One ‘central’ galaxy in the middle of each halo, above a given mass threshold. Additional ‘satellite’ galaxies in higher mass halos at locations of random dark matter particles (or subhalos).

HOD Modeling of $\xi(r)$

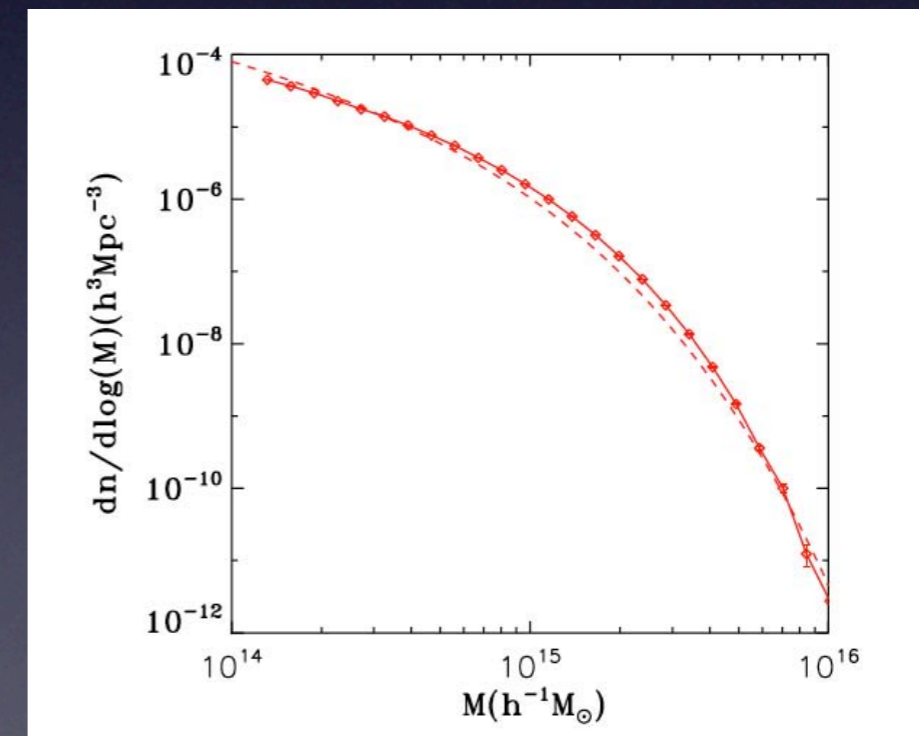
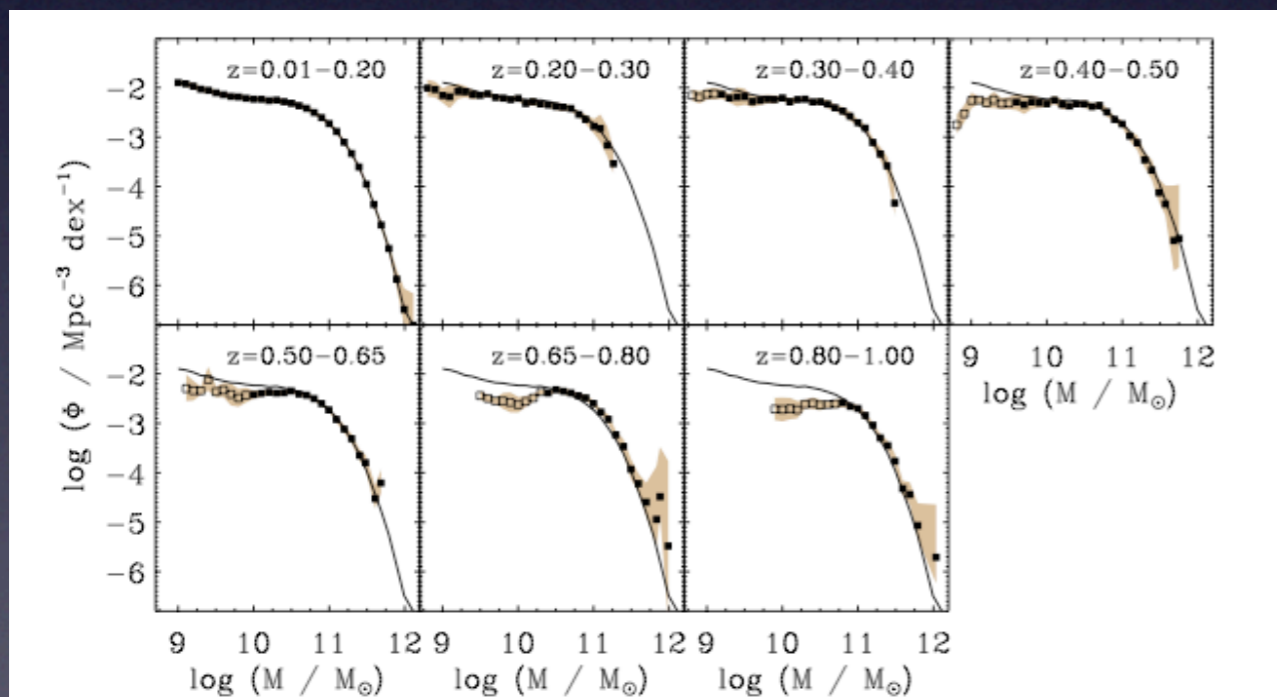


Perform direct HOD fits to data in order to:

- measure the detailed relation between luminosity and halo mass
- measure satellite fraction and how it depends on luminosity / color (ex: at $z=0$ 25% of blue galaxies and 60% of red galaxies are satellites)
- determine the halo mass distributions for central vs. satellite galaxies

Abundance Matching

Rank galaxies by luminosity or stellar mass, assign them to halos ranked by total mass. Best to take into account scatter between luminosity or stellar mass and halo mass.



Connecting Observed Galaxy Samples Across Time

The number densities and clustering properties of different galaxy samples observed at different z can be used to constrain progenitor / descendent populations:

- Take a galaxy sample at high- z , find halos in simulations that have same clustering and number density. Follow their merger histories to lower z to predict their clustering and number density at lower z - connect with an observed galaxy population.

Higher-order Clustering Measurements

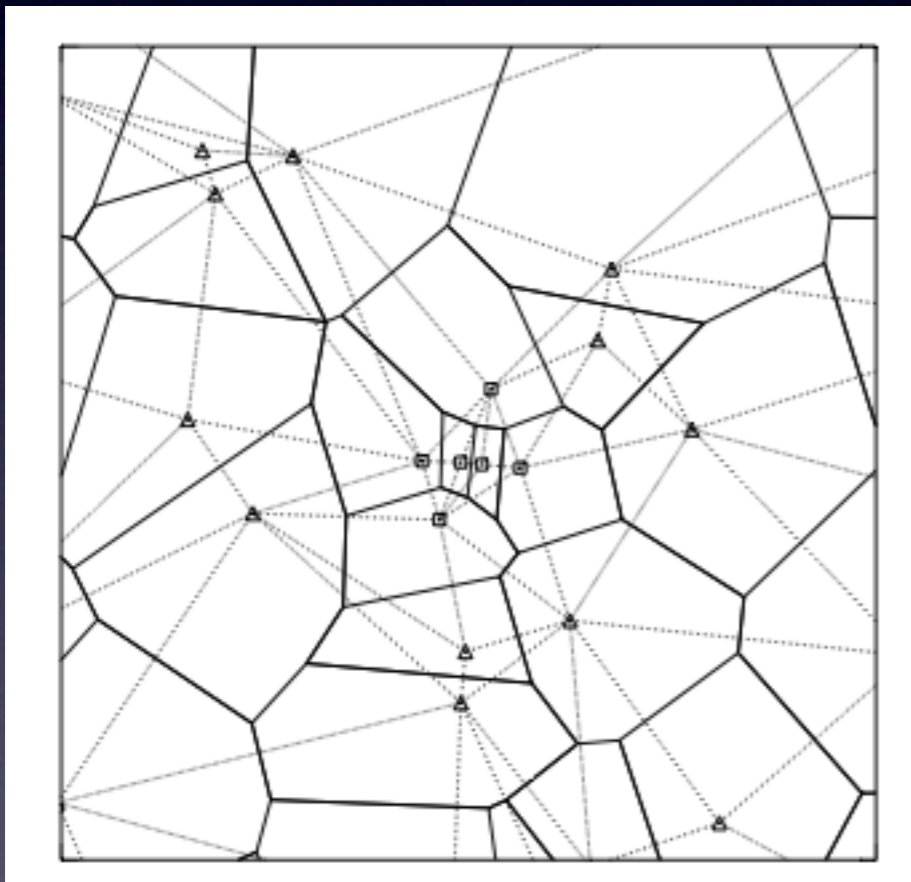
Can measure 3-pt, 4-pt, etc. correlation functions.

For the 3-pt function, find triangles of galaxies with different configuration shapes. Higher-order measurements need large samples over enormous volumes - only been done at $z=0$ so far.

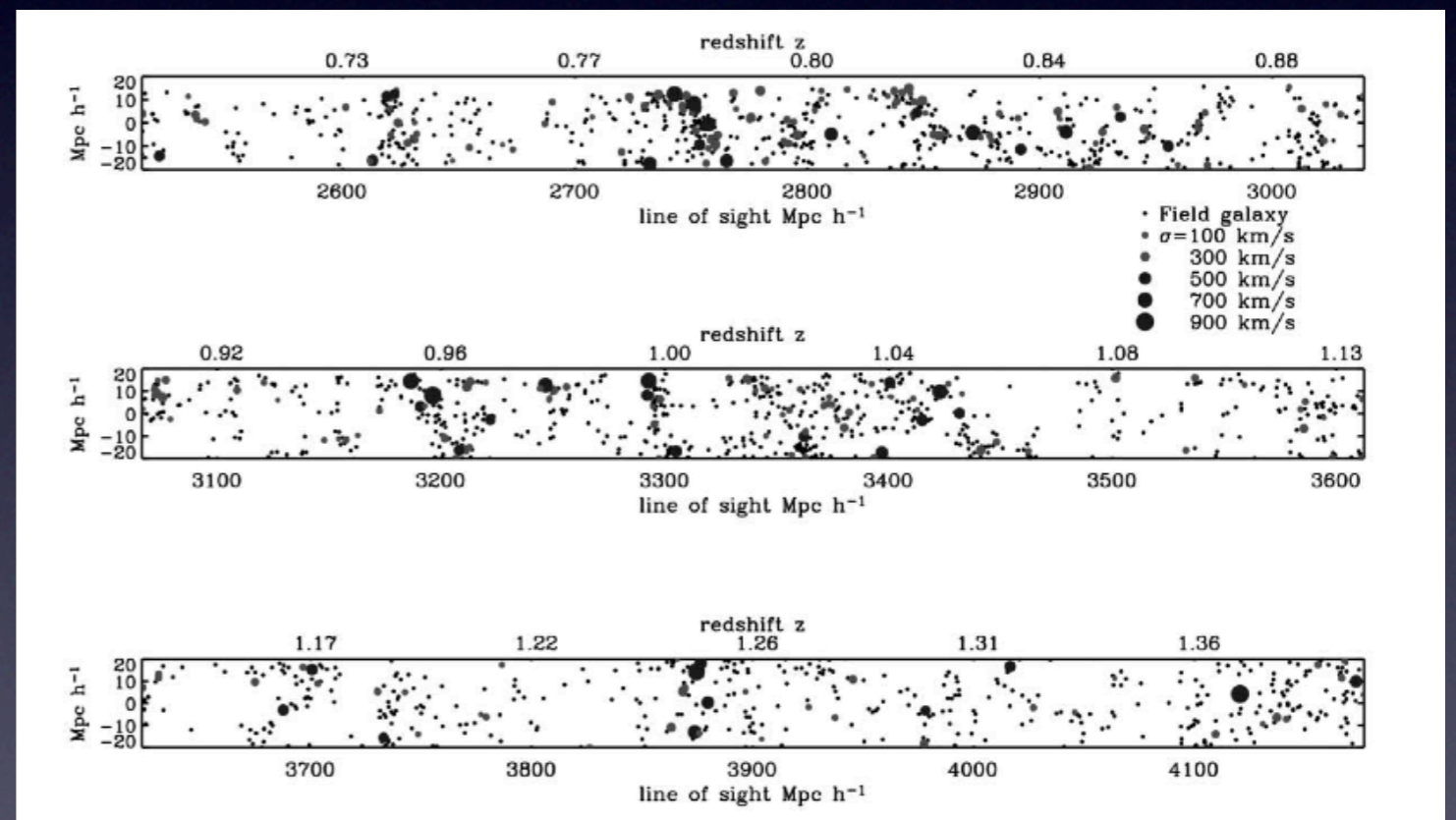
Can compare the 3-pt and 2-pt functions to measure the galaxy bias directly. Can also measure any non-linear bias.

Identifying Galaxy Groups

Can find groups using the locations of galaxies in redshift space - no selection based on color, magnitude, etc. - just overdensity in the galaxy distribution.

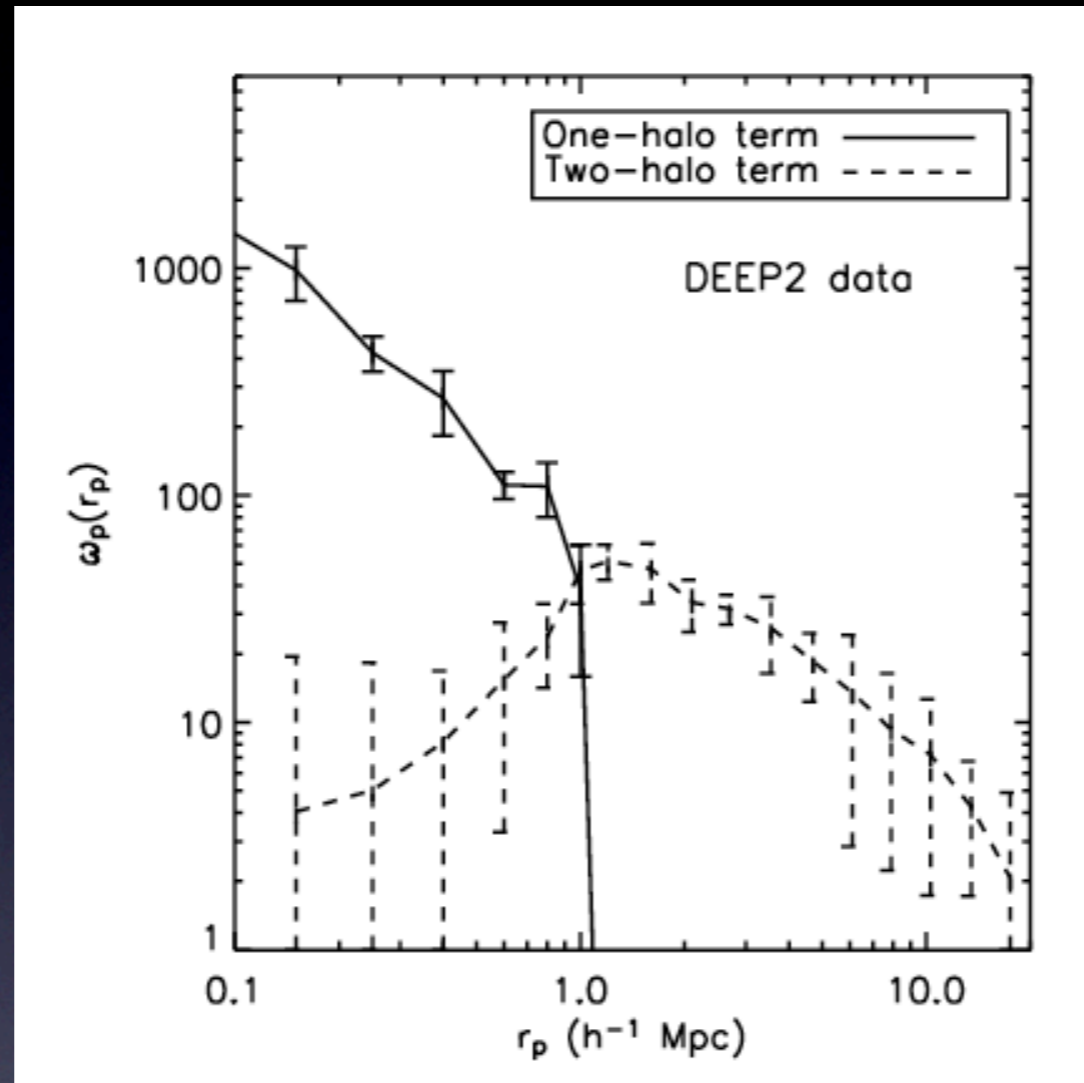


Voronoi tessellation



Groups at $z=1$

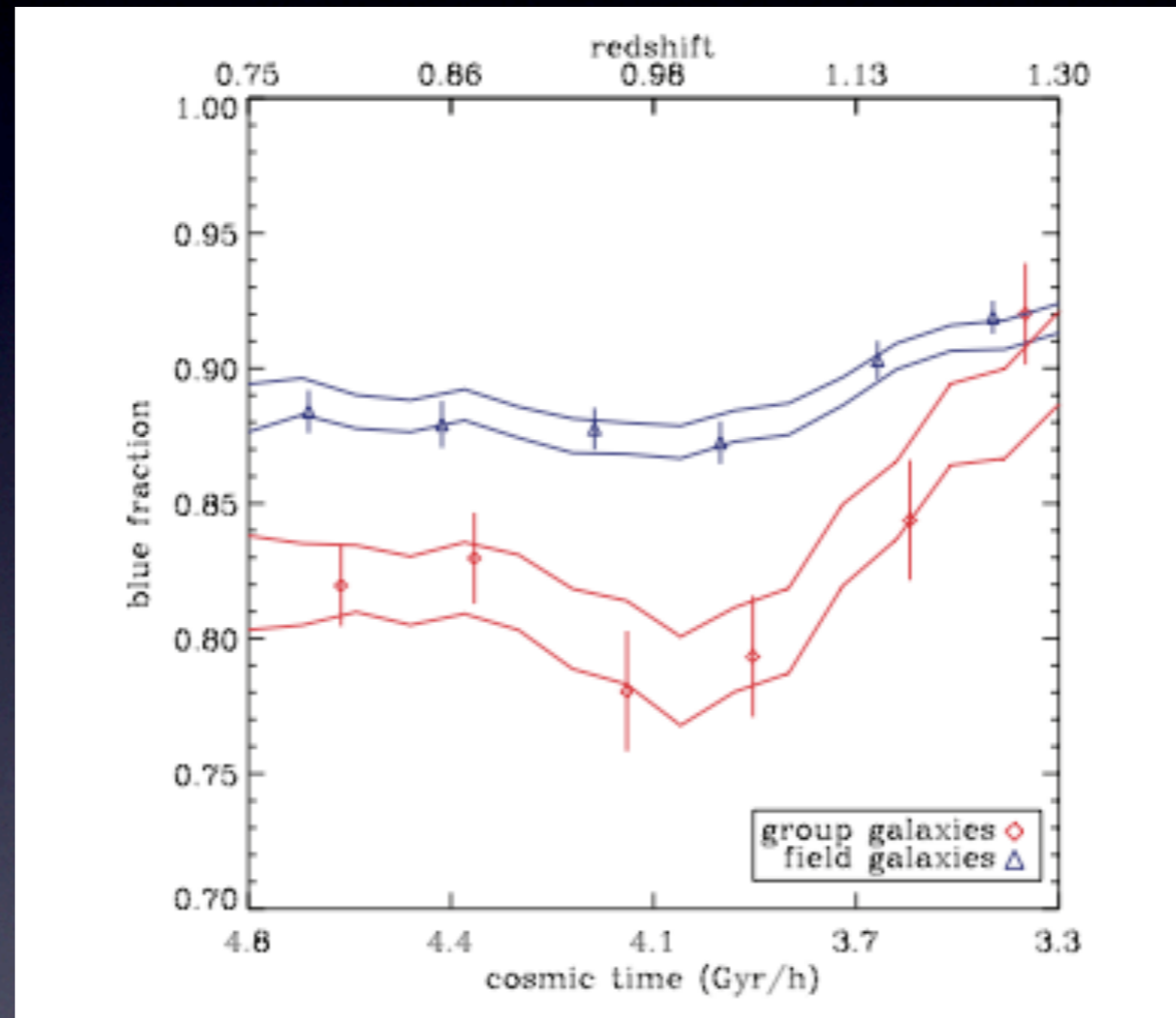
Measure one-halo and two-halo terms



Coil et al. 2006

Can measure the one-halo and two-halo terms directly with a group catalog!
One halo term constrains the radial profile of galaxies w/in dark matter halos.

Fraction of Blue Galaxies in Groups



Gerke et al. 2007

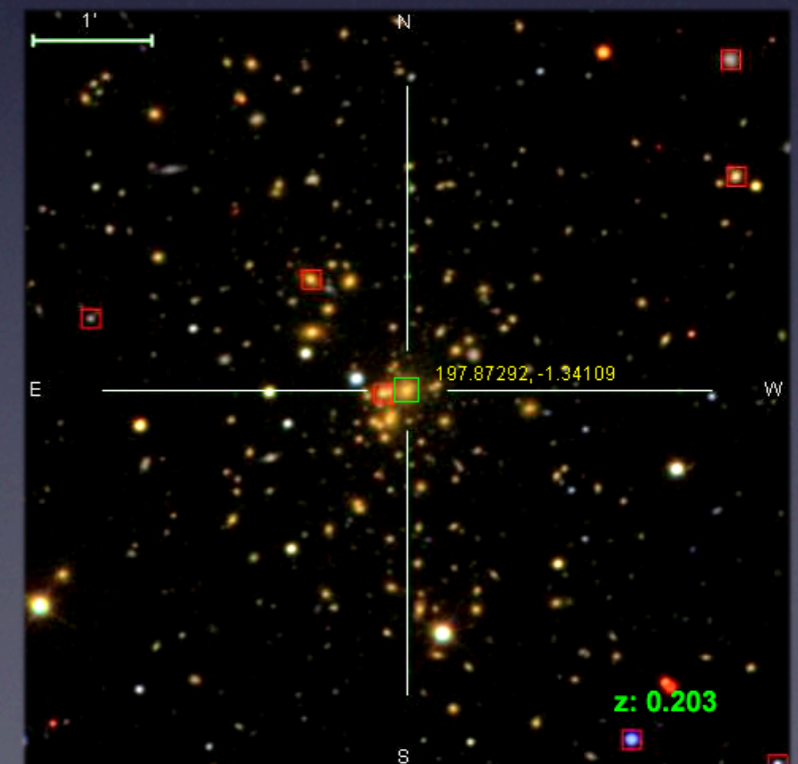
Identifying Clusters in SDSS

‘maxBCG’ - optically-selected, identifies bright red galaxies and finds spatial overdensities, uses fact that most low- z clusters have a ‘brightest cluster galaxy’ at the center

‘GMBCG’ - optically-selected, finds differences between cluster galaxies and field galaxies in color space - differential detection

Table 1: Summary of optical cluster finding algorithms for photometric data

Algorithm	Type of data applied	De-projection method
Percolation ^a	Single band/Simulation	Magnitude/photo- z
Smoothing Kernels ^b	Single band	Magnitude
Adaptive Kernel ^c	Single band	Magnitude
Matched Filter ^d	Single band	Magnitude
Hybrid and Adaptive Matched Filter ^e	Single band	Magnitude/photo- z
Voronoi Tessellation ^f	Single band	Magnitude
Cut-and-Enhance ^g	Single band	Magnitude
Modified Friends of Friends ^h	Multi-band	Photo- z
C4 ⁱ	Multi-band	All Colors
Percolation with Spectroscopic redshift ^j	Multi-Band	Spectroscopic Redshift
Cluster Red Sequence ^k	Multi-band	Red sequence
MaxBCG ^l	Multi-band	Red sequence
WHL ^m	Multi-band	Photo- z
GMBCG ⁿ	Multi-band	Red sequence

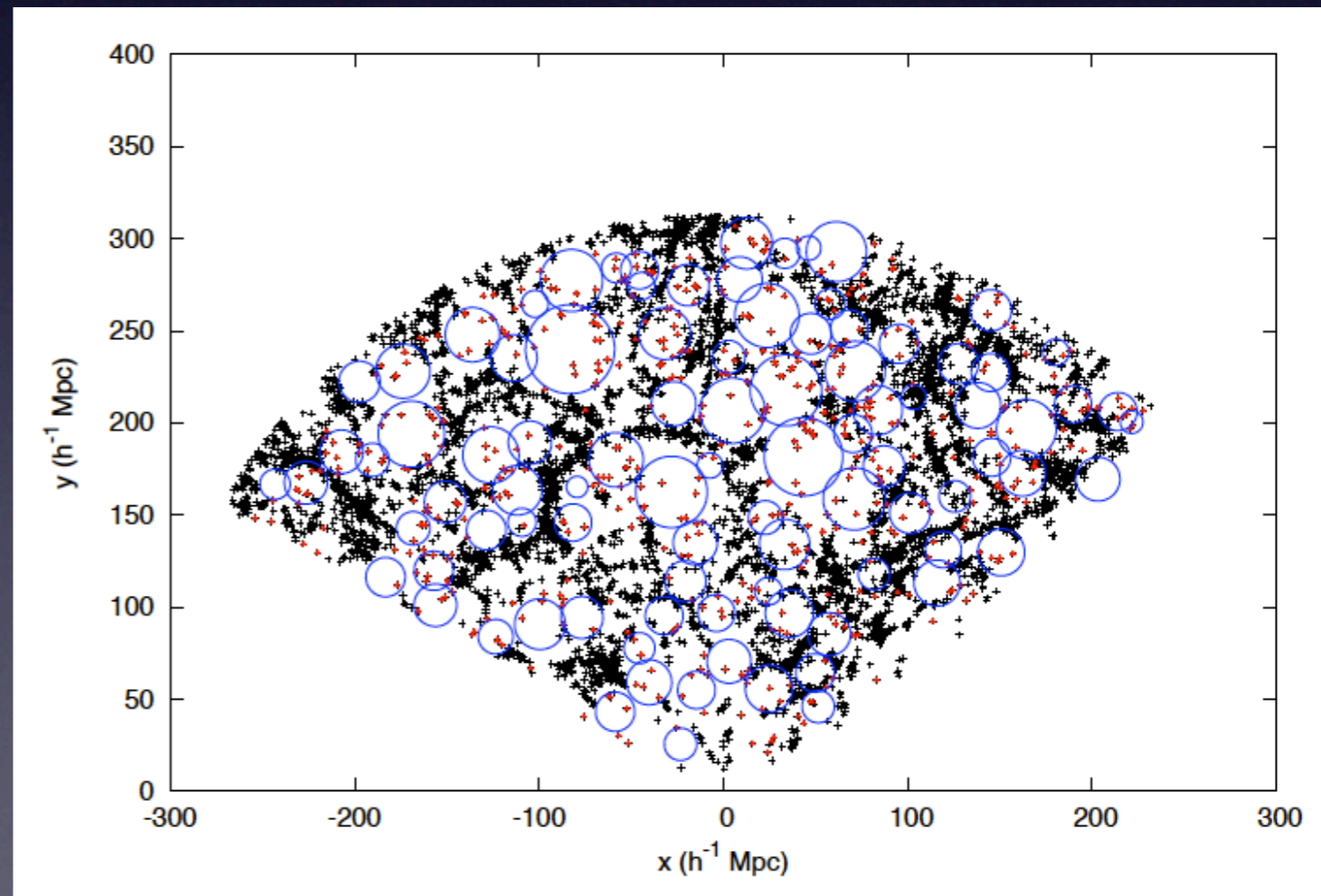


Voids

Void statistics are closely tied to cosmological parameters.
Can test for non-Gaussianity of primordial perturbations.

Voids are not entirely devoid of galaxies - some 'void galaxies' live in very underdense regions.
Can test extremes of galaxy formation using them.

Pan et al. 2011



Voids

LCDM simulations have clear predictions for voids:

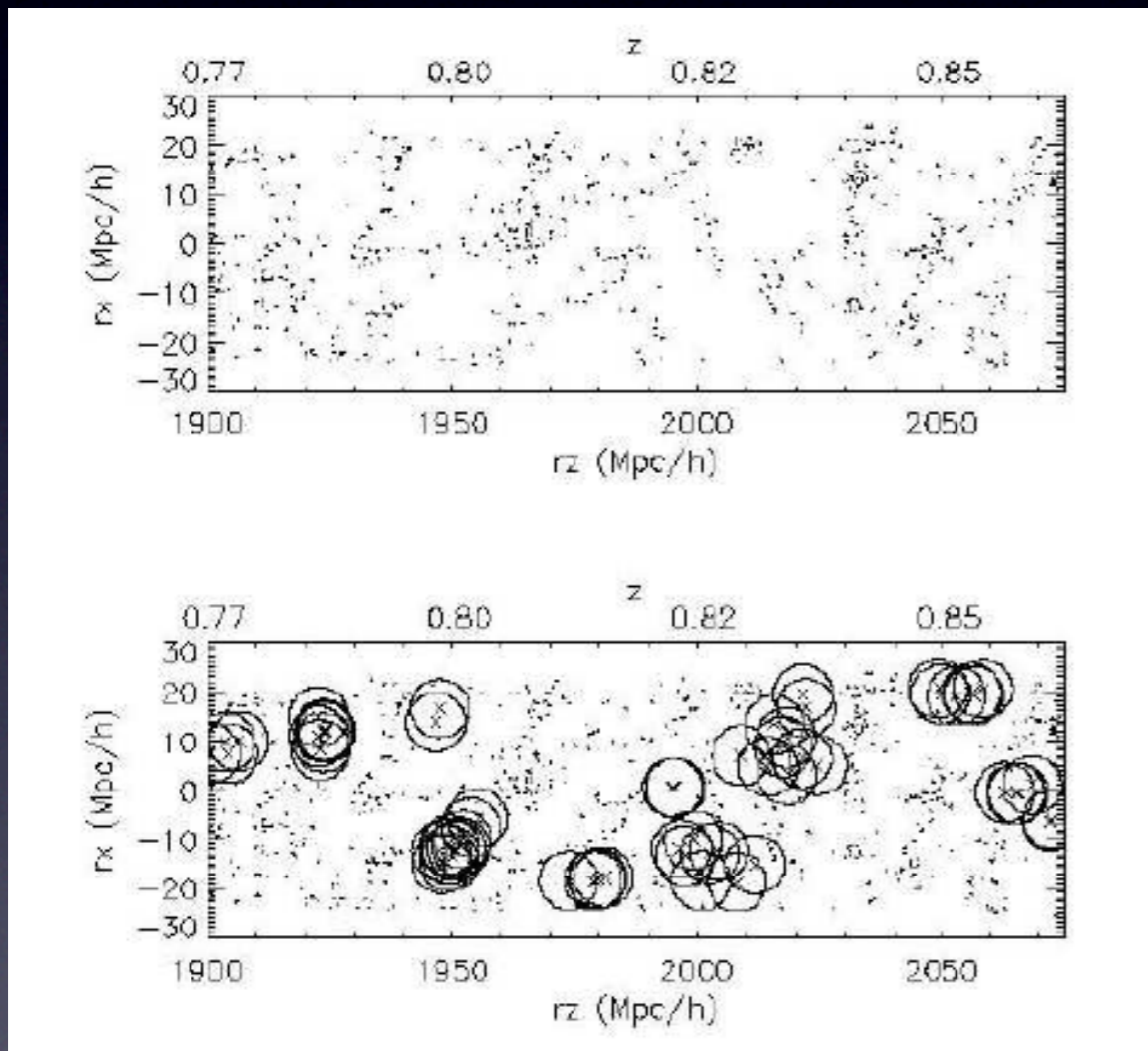
- should contain both dark matter and galaxies, though very underdense
- have well-defined, sharp edges in the dark matter density
- volume of space filled by voids evolves strongly: $\sim 60\%$ at $z=0$, 28% at $z=1$, 9% at $z=2$
- galaxies in voids should be anti-biased relative to dark matter

Voids

Observations find:

- void sizes are typically ~ 15 Mpc/h
- very underdense but do have galaxies
- $\sim 60\%$ of volume at $z=0.1$ is filled by voids
- have sharp density profiles as traced by galaxies

Void Probability Function



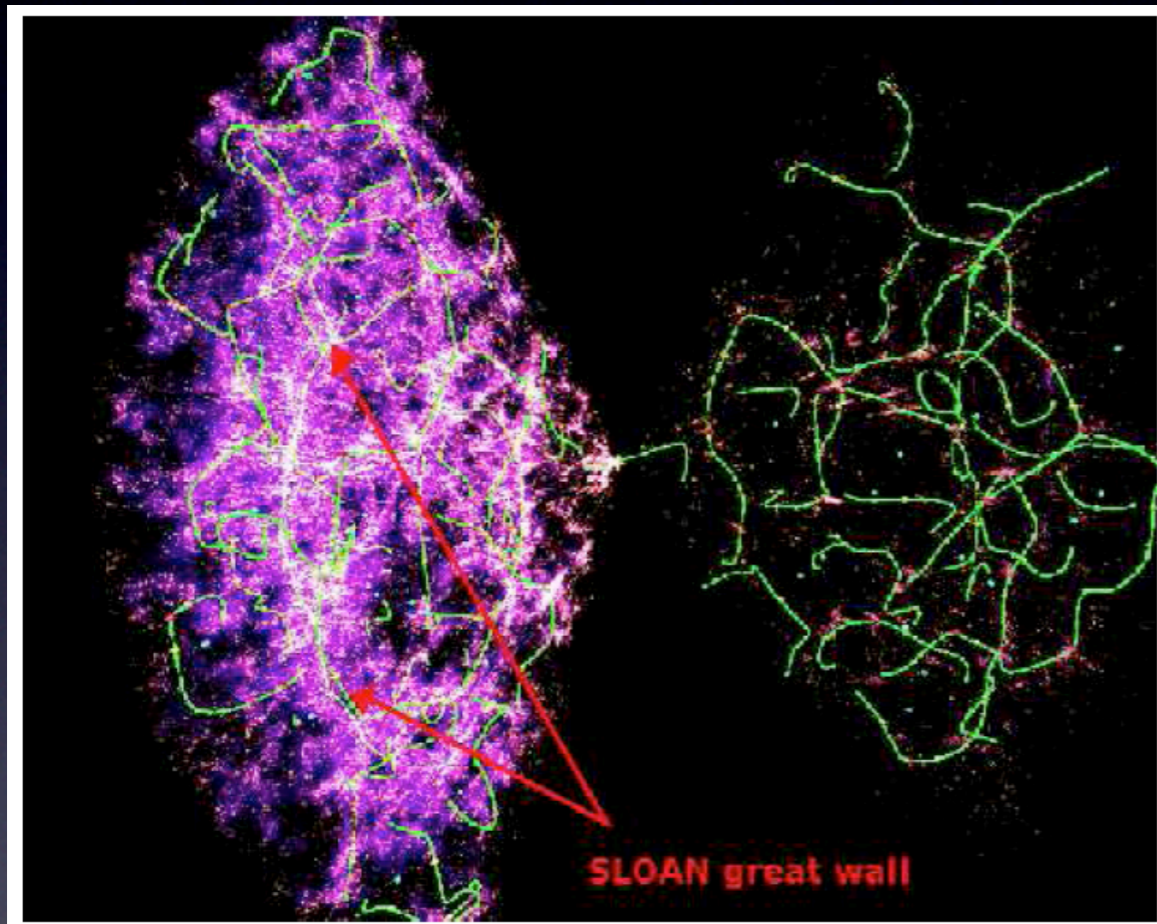
Conroy et al. 2005

The probability that a randomly placed sphere of radius R will not contain any galaxies. Defined such that it depends on the space density of points.

VPF should be higher for galaxies than for dark matter, due to bias and discretization. Observationally, it is higher for red galaxies than blue galaxies, and evolves with redshift (voids grow with time).

HOD model results agree with observed VPF - no need suppress galaxy formation in voids. Galaxy formation physics is not different in low density regions.

Filaments



Comparisons of filament statistics
- length distribution, typical width
- also agree well with LCDM simulations.

Observations show that filaments don't change much from $z=1$ to $z=0$, which is expected, unlike voids.

Sousbie et al. 2008

Limits of Current Surveys

Local Universe well sampled due to SDSS.

To $z \sim 1$ largest deep galaxy surveys have $\sim 100k$ redshifts,
cover ~ 10 sq. deg.

At $z \sim 2-3$ only a few thousand redshifts in small areas.

Need spectrographs that can observe ~ 1000 galaxies at once, on the largest telescopes. These all use fibers.

New surveys using prism / grism from ground (PRIMUS) and space (3D-HST). If use a slitmask then spectra don't overlap.